

Basics of breeding blanket technology



Forschungszentrum Karlsruhe
in der Helmholtz-Gemeinschaft



Universität Karlsruhe (TH)
Research University • founded 1825

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Development of Fusion power plants

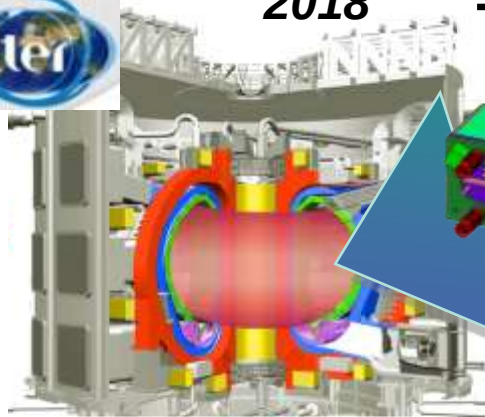
DEMO

2050



TBM, TDM

2018



Experimental Reactor

+ Test bed

ITER +
broader
approach

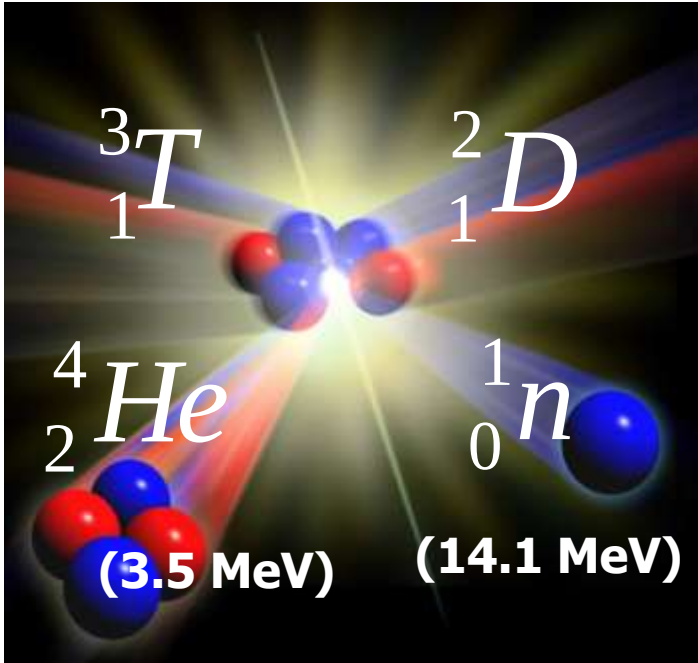
Commercial
Power
Plants



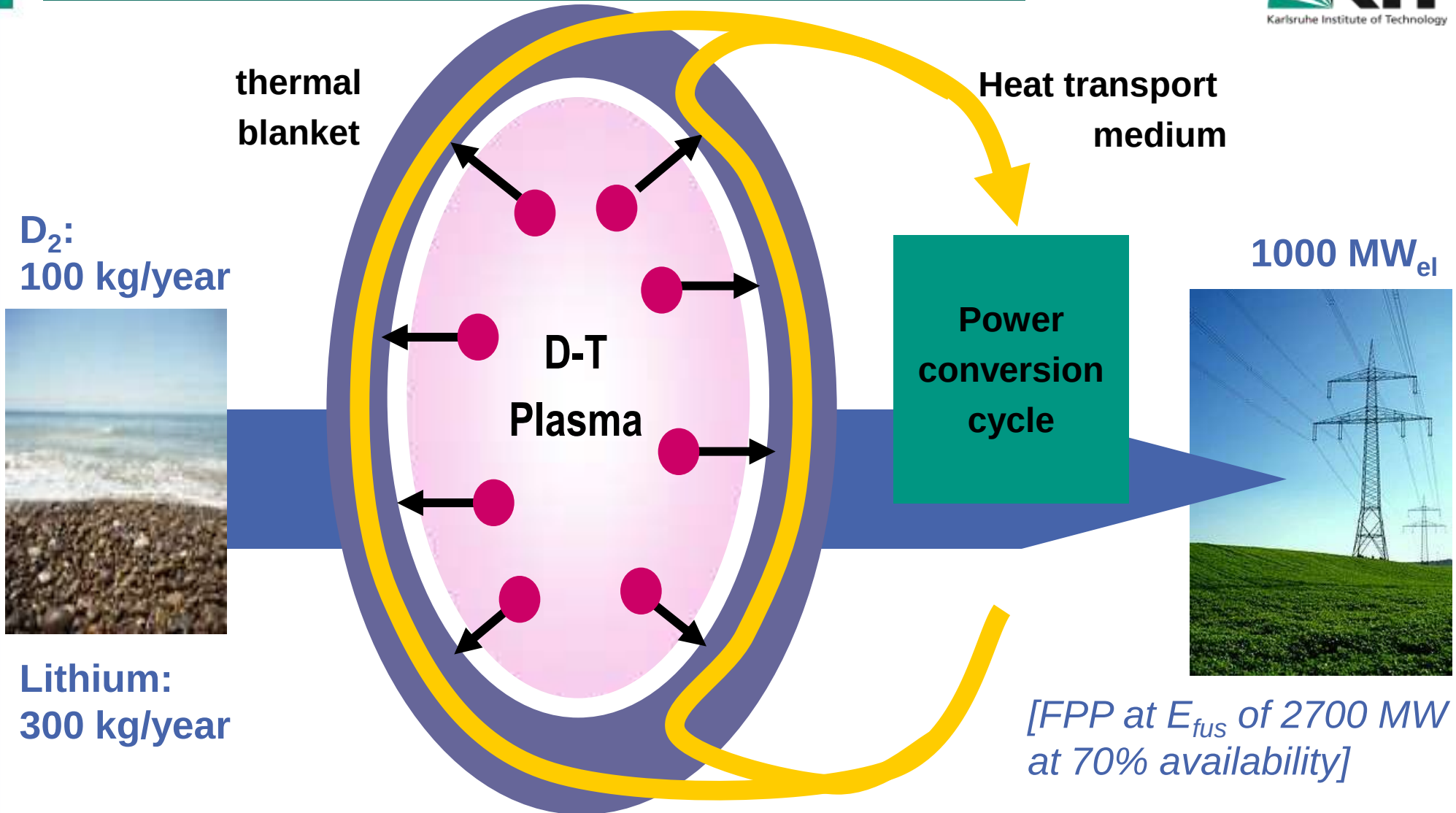
IFMIF



EVEDA 2007...2012
→ construction

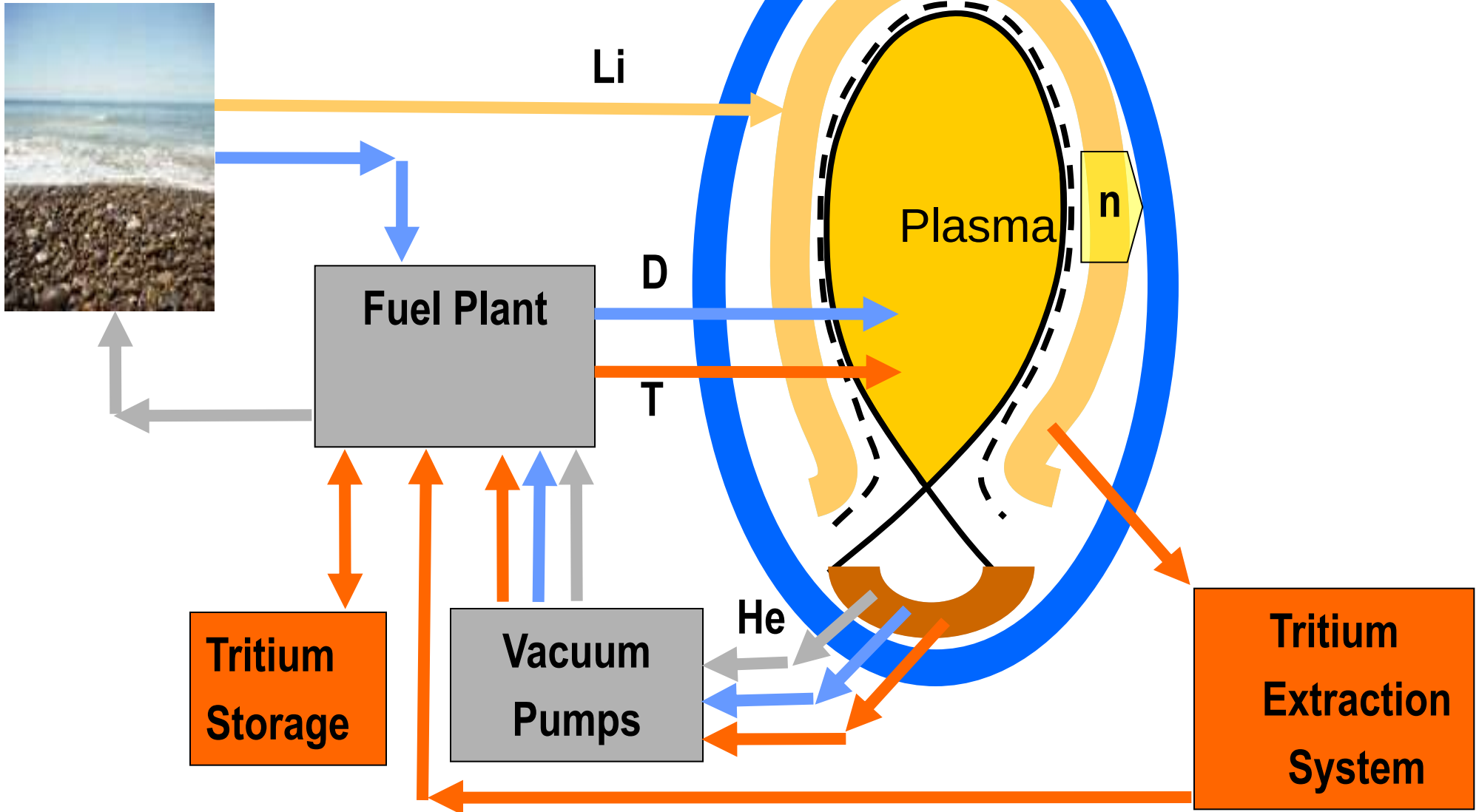
- Kinetic energy of α -particles (${}^4\text{He}$) and neutrons: 17.6 MeV
 - α -particles and neutrons will have the **same impulse** ($m \cdot v$)
 - $\rightarrow$ neutron must be 4 times faster
 - This means the kinetic energy ($\frac{1}{2} m v^2$) is distributed in the ratio 4/1, **80% neutron energy!**
- 
- The diagram illustrates the fusion of a tritium nucleus (${}^3_1\text{T}$) and a deuterium nucleus (${}^2_1\text{D}$). The tritium nucleus is composed of one proton (red) and two neutrons (blue), while the deuterium nucleus consists of one proton (red) and one neutron (blue). Upon fusion, they form a helium-4 nucleus (${}^4_2\text{He}$) and a free neutron (${}^1_0\text{n}$). The helium nucleus is shown with two protons and two neutrons. The neutron is a single blue sphere. The kinetic energies are indicated: 3.5 MeV for the ${}^4_2\text{He}$ and 14.1 MeV for the ${}^1_0\text{n}$. The total energy released is 17.6 MeV.
- **The neutrons will be decelerated in the thermal blanket placed around the fusion chamber**
 - **The thermal power will be routed into a power conversion system.**

Principle of a nuclear fusion power plant

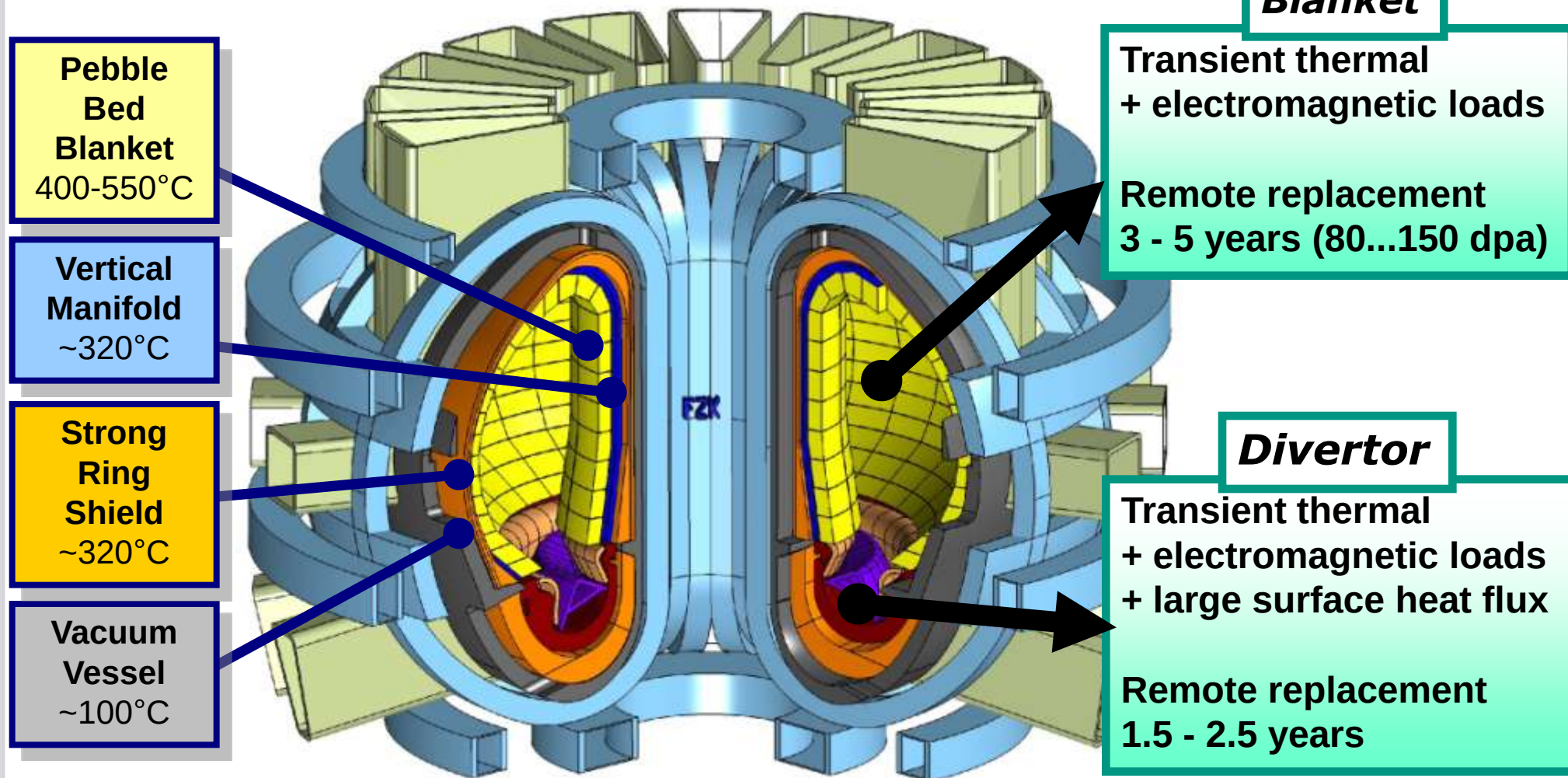


Energy option: Central power stations for many millions of years.

Fuel cycle of a Fusion Reactor



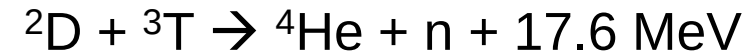
DEMO Fusion core (KIT)



DEMO = Demonstration Fusion Reactor Plant

Fusion core power distribution

■ **Note:** $1\text{eV} = \frac{1.602 \cdot 10^{-19} \text{ As} \cdot \text{V}}{\text{charge}} = 1.602 \cdot 10^{-19} \text{ Joule}$
 $2.82 \cdot 10^{-12} \text{ Joule}$
 per Fusion



$\oplus$ Proton
 $\bigcirc$ Neutron

a) particles
diffuse out
of the
plasma,
b) heat
conduction
50 %

20 % ^4He energy = 3.52 MeV

α -particles are
confined in the
PLASMA $\rightarrow$
give energy to
the plasma
(α -heating)

Radiation
of energy
from the
plasma
50%

80 % neutron energy = 14.08 MeV

Neutrons are not confined and
have to be moderated in the blanket.
With light atoms like lithium or
beryllium the neutrons loose energy
by elastic scattering.

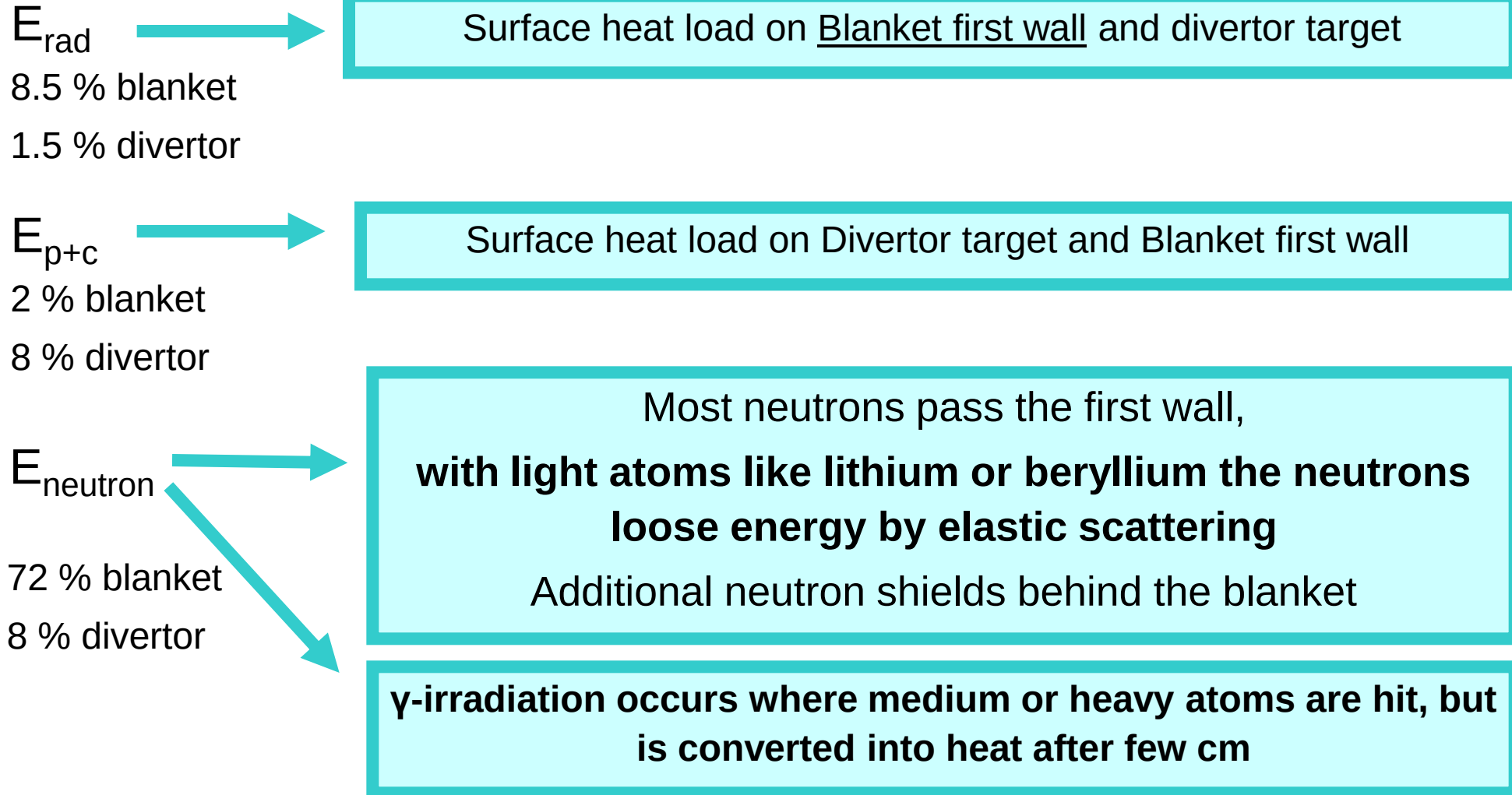
$E_{\text{particle+conduction}}$

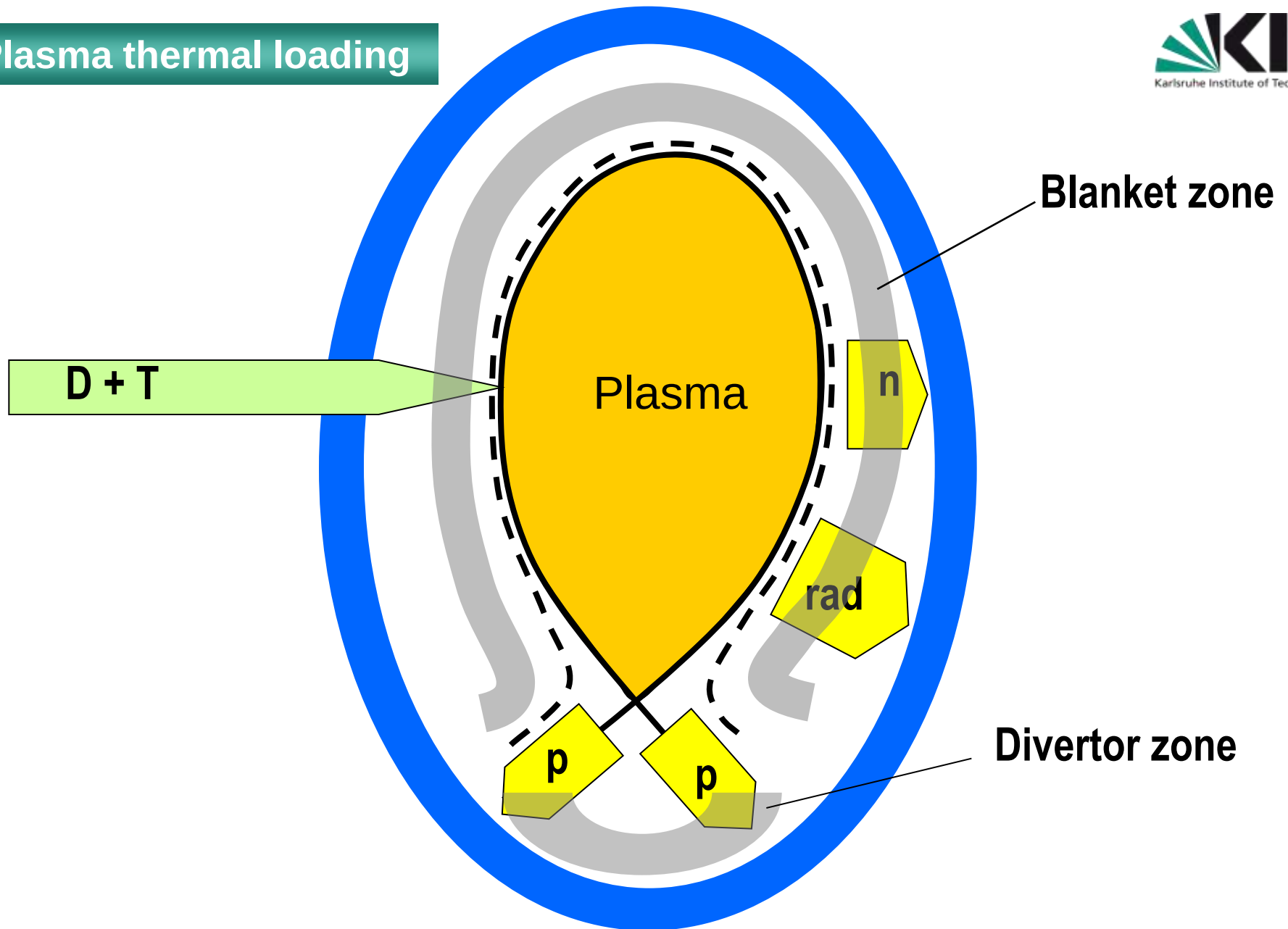
E_{rad}

E_{neutron}

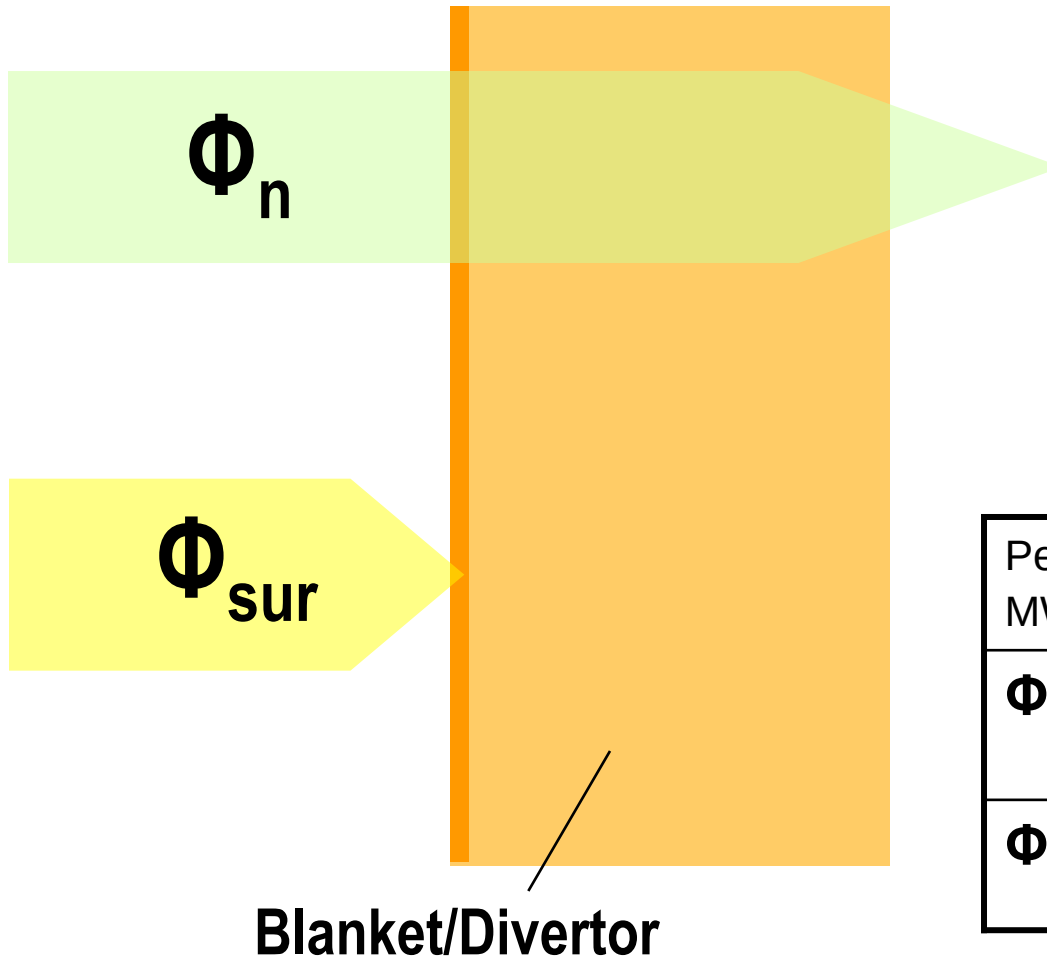
Blanket Load + Divertor Load

Fusion core power load distribution (example)



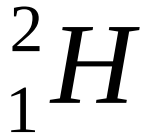
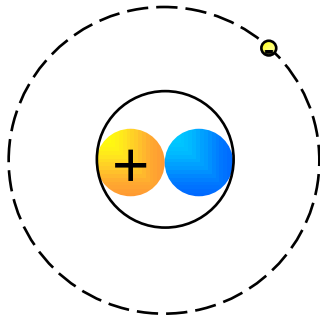


Energy distribution in Blanket and Divertor zones



	Blanket	Divertor
E [Ef %]	82.5 %	17.5%

Peak values in MW/m ²	Blanket	Divertor
Φ_n	2.4 - 3	~1-2
$\Phi_{sur} = \Phi_{rad} + \Phi_p$	~0.5	10-20



Property	D ₂ O (Heavy water)	H ₂ O (Light water)
Freezing point (°C)	3.82	0.0
Boiling point (°C)	101.4	100.0
Density at <u>STP</u> (g/mL)	1.1056	0.9982
Temp. of maximum density (°C)	11.6	4.0
Viscosity (at 20°C, <u>mPa·s</u>)	1.25	1.005
Surface tension (at 25°C, <u>μJ</u>)	7.193	7.197
Heat of fusion (<u>cal/mol</u>)	1,515	1,436
Heat of vaporisation (cal/mol)	10,864	10,515

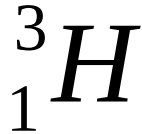
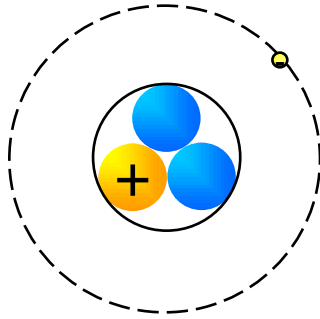
Can be found: in ocean water
at a H/D ratio of ~6500 (~150 ppm)

Used: in nuclear energy (e.g. D₂O in CANDU reactors)

Production methods (D₂O):
e.g. Girdler-Sulfid-Proces (isotopical exchange) + vacuum distillation

Estimated earth availability:
5*10¹⁶ kg (in oceans)

Sufficient for several billion years !!

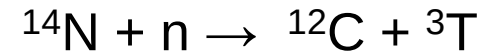


Radioactive with a half life of 12.33y



Can be found in nature:

in negligible amount as product of
cosmical rays



**Production as waste of nuclear D₂O
reactors (e.g. CANDU):**



**No available production to support
fusion reactors as external sources.**

Tritium CONSUMPTION of a 2700 MW Fusion, ~1000 MW electrical Power Plant :

Note: $1\text{eV} = \frac{1.602 \cdot 10^{-19} \text{ As} \cdot \text{V}}{\text{charge}} = 1.602 \cdot 10^{-19} \text{ Joule}$

- 1.) Energy per fused tritium atom (17.6 MeV in Joule):
 $17.6 \cdot 10^6 * 1.602 \cdot 10^{-19} = 2.82 \cdot 10^{-12} \text{ Joule};$
- 2.) Fusion frequency = $P/E = 2700 \cdot 10^6 \text{ J/s} / 2.82 \cdot 10^{-12} \text{ J} = 9.57 \cdot 10^{20} \text{ 1/s};$
- 3.) Tritium mass flow = $3 * \text{mass of proton (neutron)} * \text{frequency} =$
 $3 * 1.67 \cdot 10^{-27} \text{ kg} * 9.57 \cdot 10^{20} * 24 * 60 * 60 * 1/\text{day} = \underline{0.41 \text{ kg/day}}$

Tritium T_3 : ~ 0.41 kg/day ← breeding in the reactor itself
with Lithium – neutron reaction

Deuterium D_2 : ~ 0.27 kg/day ← from sea water

Current world production of Tritium: 2 kg/year (!)

Needed resources for a D-T-Fusion Power Plant, ~1000 MW electrical :

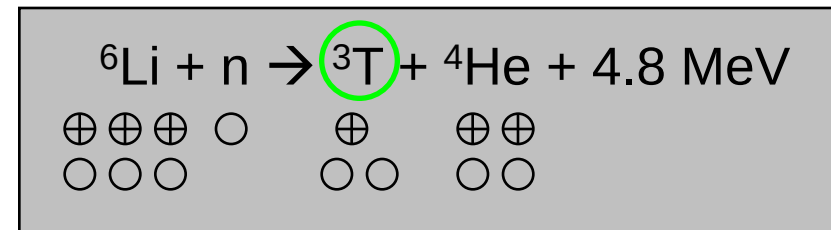
Deuterium D_2 : ~ 100 kg/a

→ in $5 \cdot 10^{16}$ kg Oceans

Sufficient for 30 billion years !!

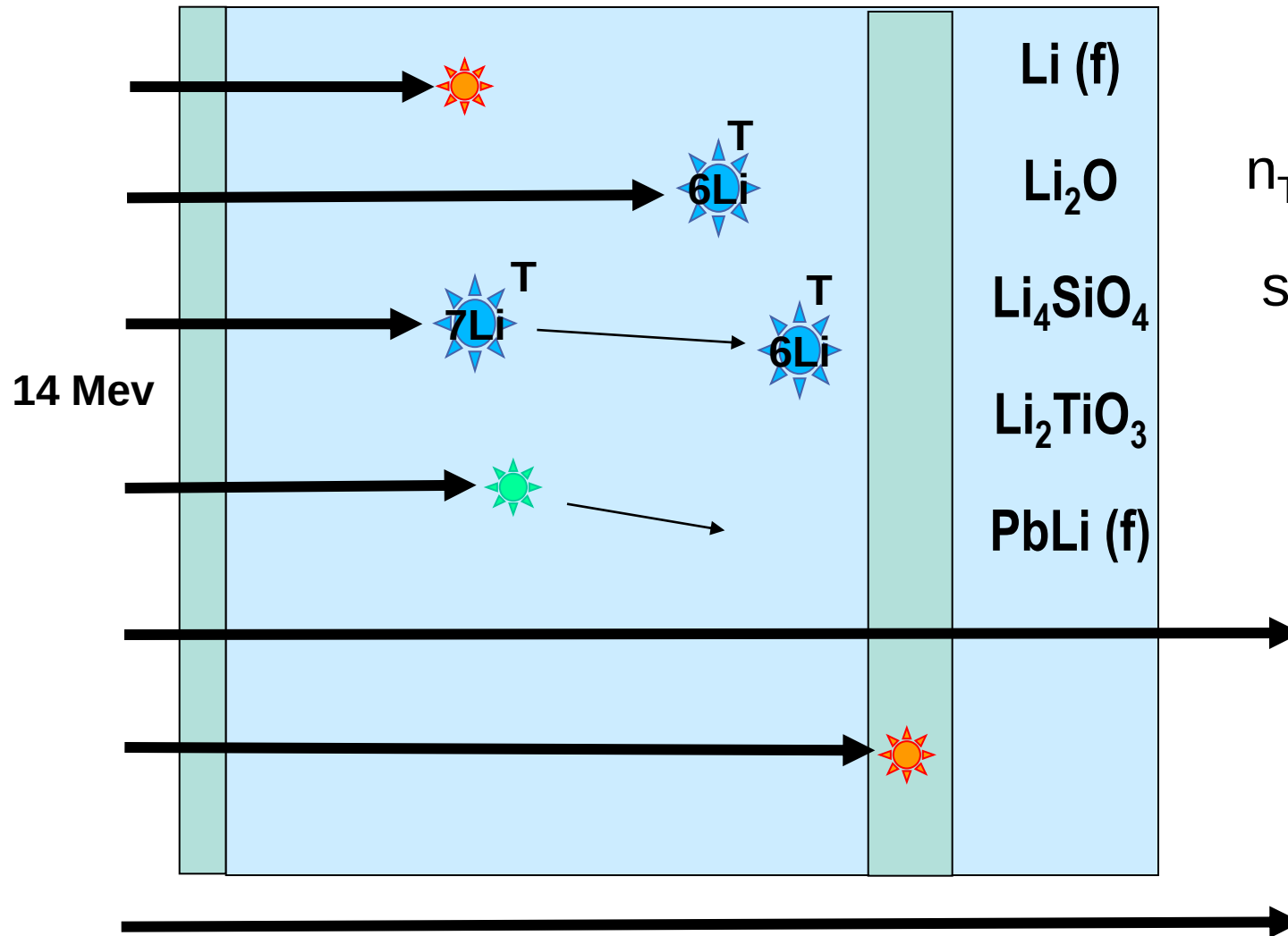
Tritium T_3 : ~ 150 kg/a

breeding with Lithium reaction →
Only 300 kg Li^6 needed per year



About 10^{11} kg Lithium in landmass
Sufficient for 30'000 years

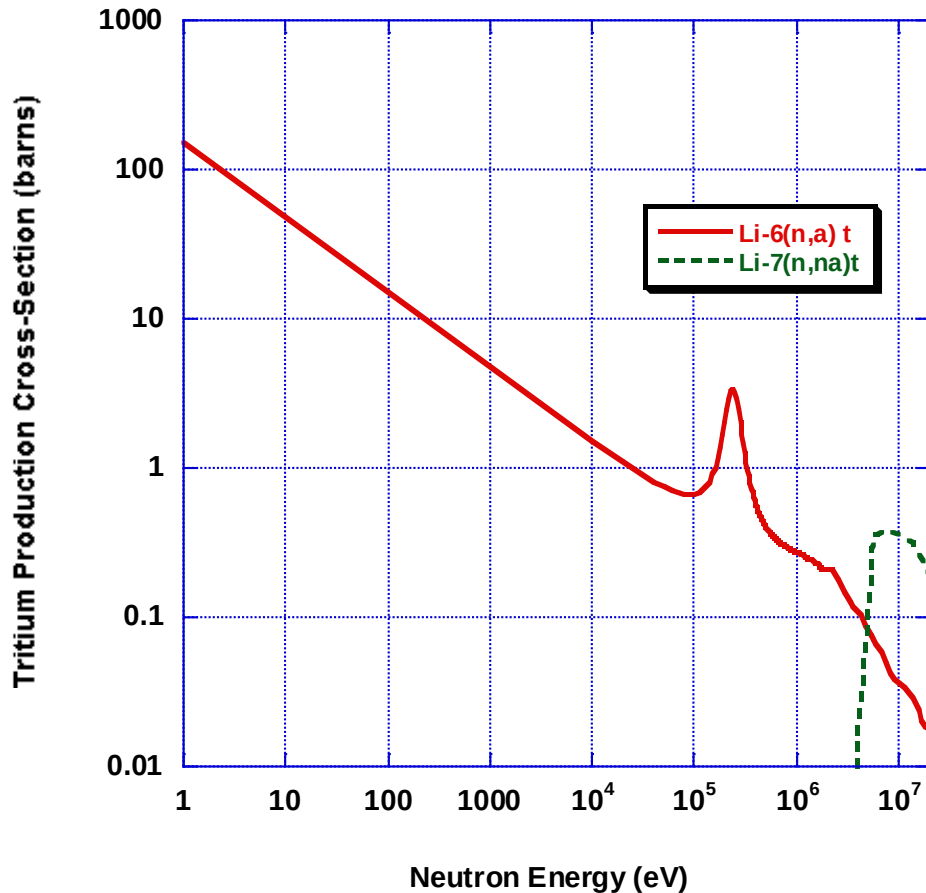
About 10^{14} kg Lithium in oceans
Sufficient for 30 million years !!



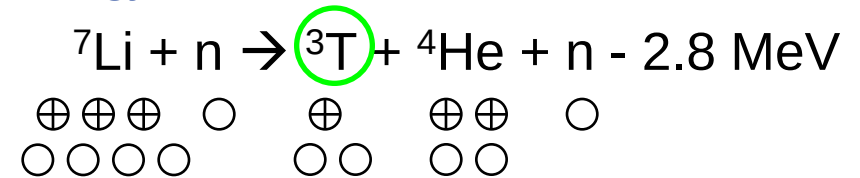
$$n_T = n_f * X_b * X_T * m$$

shall be $n_T / n_f > 1$

Li-6(n,alpha)t and Li-7(n,n,alpha)t Cross-Section

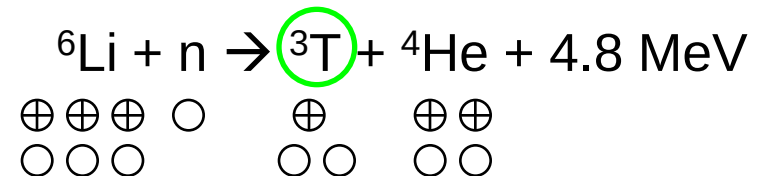


The ⁷Li reaction works with the high energy neutrons



The decelerated neutron can still make a Tritium atom by the ⁶Li reaction.

“Two Tritium atoms with one neutron”



⊕ Proton
○ Neutron

Natural mixture:
92.5 % ⁷Li, only 7.5 % ⁶Li

Tritium generation rate G

$$G = \int_V \int_E \varphi \rho \sigma \quad (\text{e.g. } \varphi = 1.8 \cdot 10^{23} \text{ neutrons}/(\text{day} \cdot A_{\text{ges}}), \sigma = 20 \text{ barns} = 20 \cdot 10^{-28} \text{ m}^2, \rho = 0.5 \text{ g/cm}^3 = 500 \text{ kg/m}^3)$$

$\varphi(E)$: neutron flux density;

$\sigma(E)$: ${}^6\text{Li}$ cross section (decreasing with $\sim \sqrt{E}$);

ρ : ${}^6\text{Li}$ density;

integrated over the neutron energy E and the space coordinates V

Energy Multiplication with 1 x ${}^6\text{Li}$ -T transmutation per n:

The energy of the neutrons from the plasma (14.1 MeV)

The energy of the ${}^6\text{Li}$ reaction (4.8 MeV)

→ Energy multiplication in blanket: $(14.1 + 4.8)/14.1 = 1.36$

Tritium PRODUCTION of a 2700 MW Fusion, ~1000 MW electrical Power Plant :

Estimate for:
Breeding zone
full of Lithium

Note: $1\text{eV} = \frac{1.602 \cdot 10^{-19} \text{ As} \cdot \text{V}}{\text{charge}} = 1.602 \cdot 10^{-19} \text{ Joule}$

charge

1.) Energy per fused tritium atom (17.6 MeV in Joule):

$$17.6 \cdot 10^6 \cdot 1.602 \cdot 10^{-19} = 2.82 \cdot 10^{-12} \text{ Joule};$$

2.) Fusion frequency = $P/E = 2700 \cdot 10^6 \text{ J/s} / 2.82 \cdot 10^{-12} \text{ J} = 9.57 \cdot 10^{20} \text{ 1/s}$;

= number of Neutrons per second; per day: $8.27 \cdot 10^{25} \text{ 1/day}$; per day and m^2 : $8.27 \cdot 10^{22} \text{ 1/(day m}^2\text{)}$

3.) Cross Section (Wirkungsquerschnitt) of Li^7 at 14MeV: $\sigma = 0.2 \text{ barns} (= 0.2 \cdot 10^{-28} \text{ m}^2)$

Density of Lithium $\rho \sim 500 \text{ kg/m}^3$, Tritium production rate 0.41 kg/ day,

Volume: $1000 \text{ m}^2 \cdot 0.7$ (Blanketsurface, ratio of breeder space)

Needed radial build of breeding zone:

$$R = 0.41 \text{ kg/day} / (1000 \text{ m}^2 \cdot 0.7 \cdot 8.27 \cdot 10^{22} \text{ 1/(day m}^2\text{)} \cdot 0.9 \cdot 0.2 \cdot 10^{-28} \text{ m}^2 \cdot 500 \text{ kg/m}^3) = \underline{0.77 \text{ m}}$$

$$G = \int_V \int_E \phi \rho \sigma$$

Why don't we just use liquid Lithium? (would allow for sufficient breeding)

- 1) Lithium is dangerous, it burns and ignites in air, strong reaction with water.
- 2) High solubility of Tritium → hard to extract

How else could we design Lithium blankets?

- A) Increase the number of neutrons (using neutron multipliers)
- B) Use Lithium 6 enrichment in combination with high number of slower neutrons

How can we use Lithium in blankets?

- A) Ceramic materials (Oxides, used in solid state)
e.g. LiO_2 , LiAlO_2 , Li_2SiO_3 , Li_4SiO_4 , Li_8ZrO_6 , Li_2TiO_3
→ Tritium is collected by a Helium purge gas

- B) Eutectic alloy (liquid state use) $\text{Li}_{17}\text{Pb}_{83}$ (17 atom% Lithium)
→ Tritium is extracted from the liquid metal outside the vacuum vessel

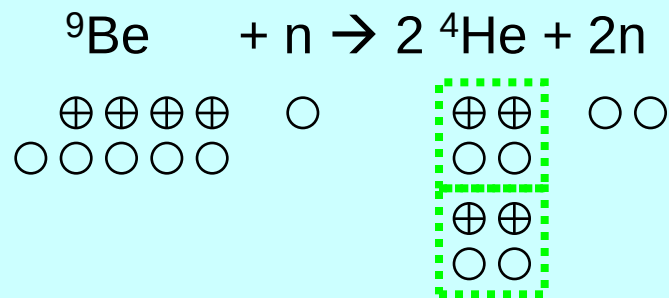
Ceramic breeder Blanket: neutron multipliers

In materials like Li_4SiO_4 due to the presence of other materials the probability of neutrons hitting Lithium is strongly reduced.

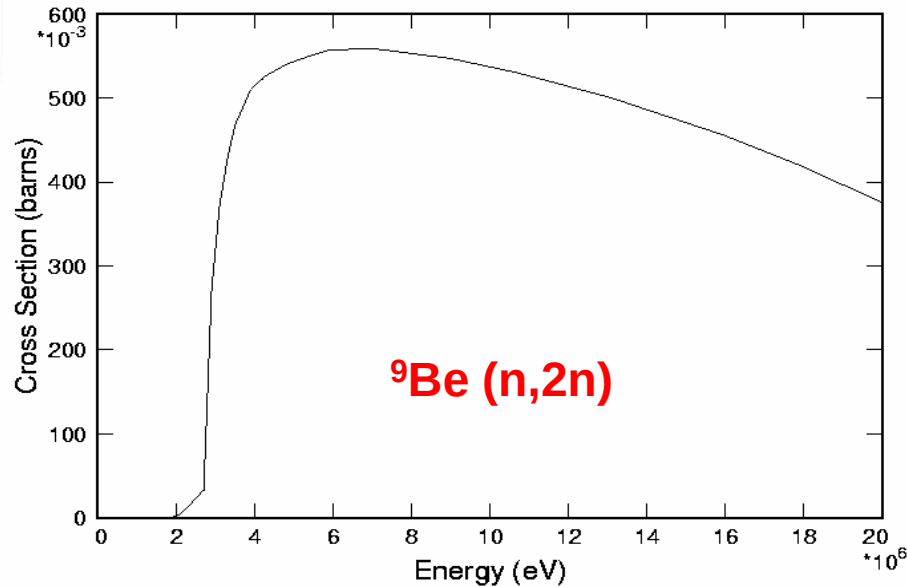
→ What would you suggest?

Use neutron multiplier materials:
Beryllium **Be** or Lead **Pb**

^{208}Pb (n,2n) threshold 7.4 MeV
 ^9Be (n,2n) threshold 2.5 MeV



neutron multipliers



Be advantage:

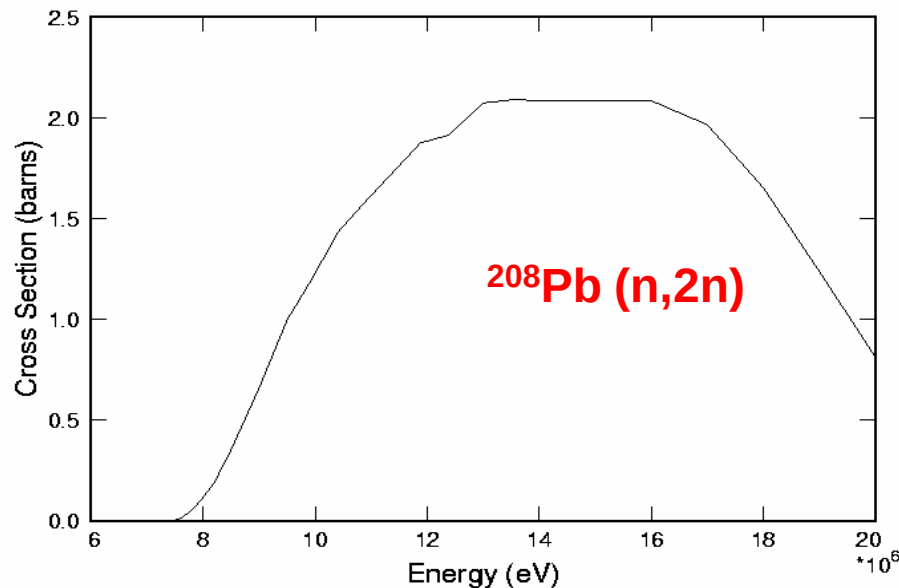
- + needs no high energy neutrons,
- + larger number of impacts per neutron is possible

Be disadvantage:

- 1.) Small world resources of usable Be,
- 2.) Beryllium is toxic (dangerous if dust occurs)

Lead Pb:

- melts at 327°C
- suitable for liquid metal concept.
- Corrosion is an issue, especially in liquid state.



Tritium PRODUCTION of a 2700 MW Fusion, ~1000 MW electrical Power Plant :

Estimation 2:
Breeding zone
with Be, Li^7 , Li^6

Number of Neutrons from plasma per day and m^2 : $8.27 \cdot 10^{22} \text{ 1/}(\text{day m}^2)$
neutron multiplication ~ 2

Cross Section (Wirkungsquerschnitt) of Li^6 and Li^7 average:

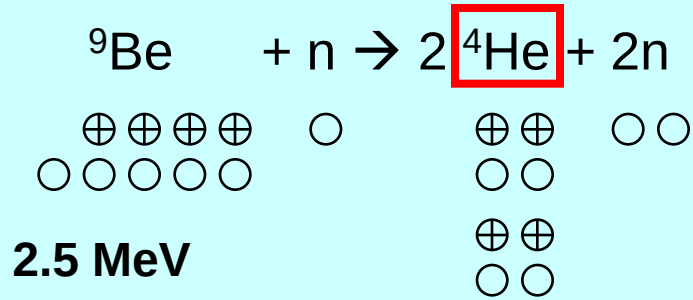
$$\sigma = 2 \text{ barns } (= 2 \cdot 10^{-28} \text{ m}^2)$$

Density of Lithiumorthosilicate $\rho \sim 2400 \text{ kg/m}^3$, Tritium production rate 0.41 kg/day ,
Volume: $1000 \text{ m}^2 \cdot 0.7 \cdot 0.64 \cdot 0.2 \cdot 0.23$
(Blanketsurface, ratio of breeder space, packing density,
amount of lithium in relation to beryllium, amount of Lithium in ceramic)

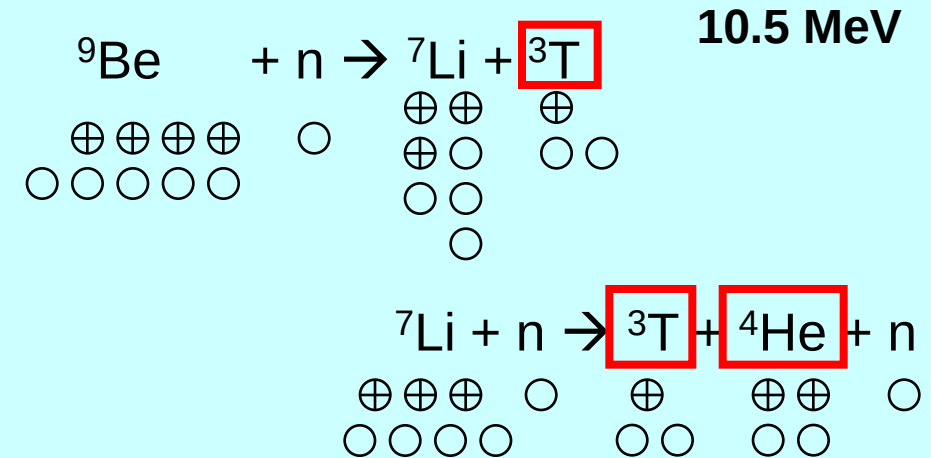
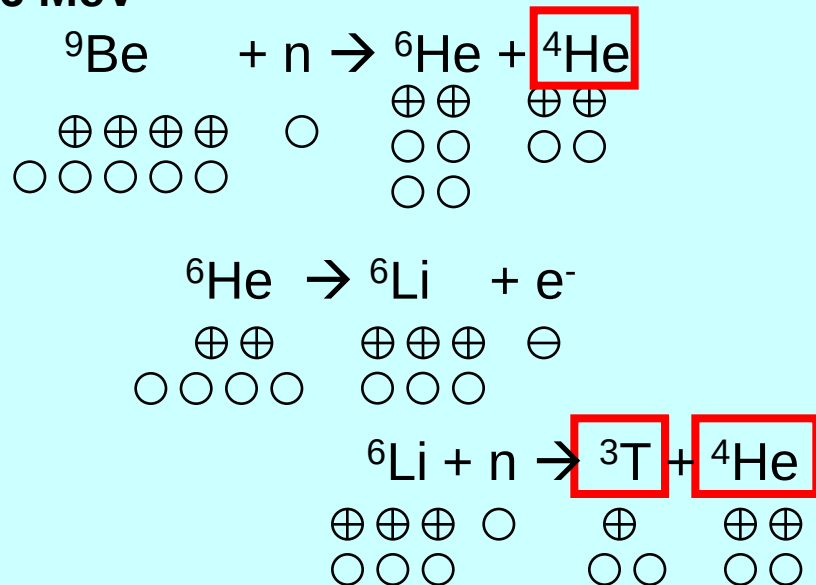
Needed radial build of breeding zone:

$$R = 0.41 \text{ kg/day} / (1000 \text{ m}^2 \cdot 0.7 \cdot 0.64 \cdot 0.2 \cdot 0.23 \cdot 2 \cdot 8.27 \cdot 10^{22} \text{ 1/}(\text{day m}^2) \cdot 0.9 \cdot 2 \cdot 10^{-28} \text{ m}^2 \cdot 2400 \text{ kg/m}^3) = \underline{0.278 \text{ m}}$$

$$G = \int_V \int_E \phi \rho \sigma$$



0.6 MeV



Helium and Tritium are produced in Beryllium !

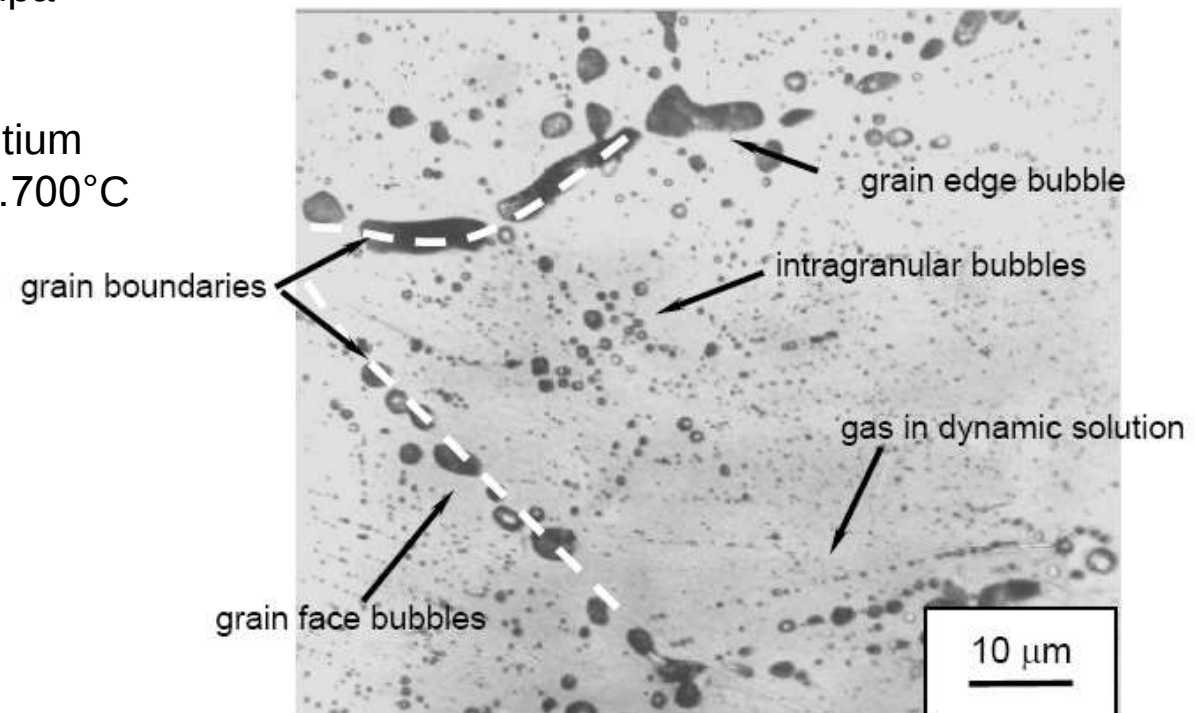
1. Tritium is safety issue if stored in the Be layer
2. Gas bubbles cause swelling (but thermal creep compensates)

Beryllium: typical operational conditions in blanket of power reactor

1. Lifetime: 40,000 h
2. Fluence (accumulated energy end of life):
 3×10^{26} neutrons/m² ($E_n > 1\text{MeV}$)
3. Irradiation damage (end of life): 80 dpa
4. He production: 25'700 appm
5. Tritium production: 640 appm
6. Total production in blanket: 24 kg Tritium
7. Allowable Temperature range: 400...700°C

Note: $1\text{eV} = 1.602 \cdot 10^{-19}$ Joule,
 $\text{Fluence} = \text{power} \cdot \text{time} / \text{area} [\text{Joules/m}^2]$
 $\text{Irradiation} = \text{power} / \text{area} [\text{W/m}^2]$

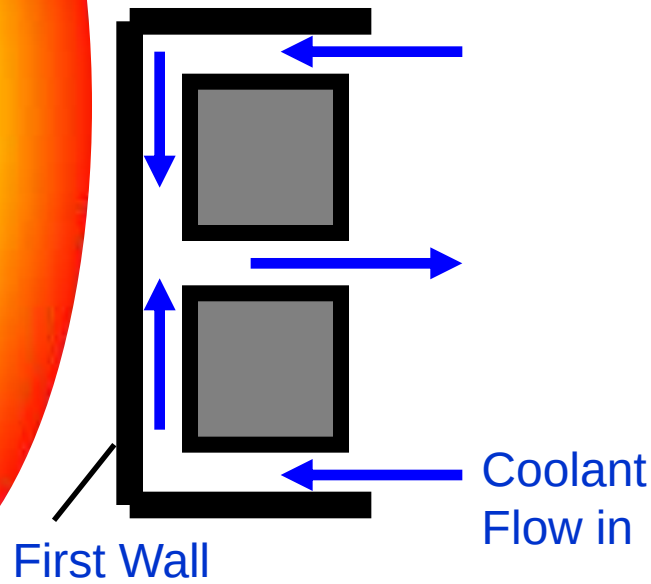
Bubbles in grain and
at grain Boundaries →
Embrittlement and Swelling !



The first wall of the blanket is loaded with surface load (particles and radiation) and neutrons

- Part of Blanket (standard in European Designs) or
- Separate component (in some Japanese concepts)

P
L
A
S
M
A



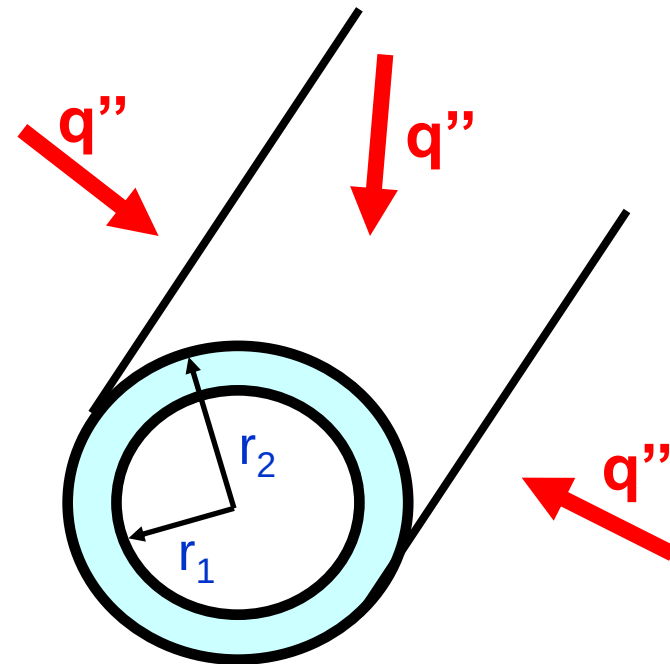
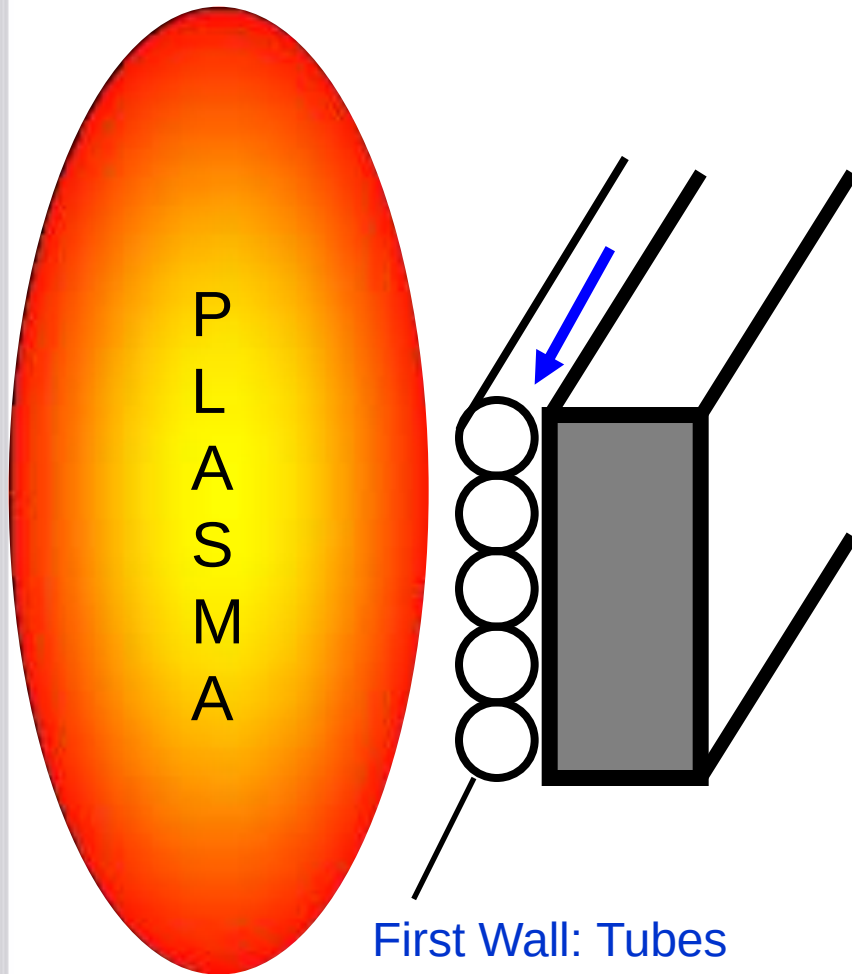
Engineering issues

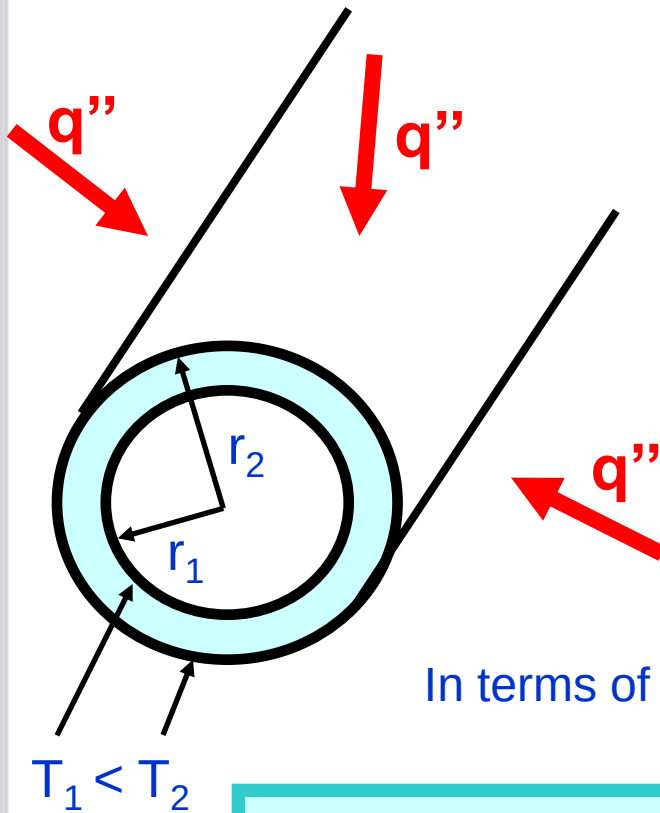
- Stresses (Thermal, from EM)
- Erosion
- Nuclear (Radiation Damage, Nuclear Heating, Activation)

The first wall has to be cooled intensively

Assumptions:

1. The heat flux is uniform around the tube
2. The neutron heating is neglected
3. The tube is unconstrained in axial direction





Thermal Stress:

At r_2 , T is highest and the fiber at this point wants to expand more than the inner material. The inner material constrains the outer fiber from full expansion

- The outer fiber is compressed
- The inner fiber is under tension

In terms of material failure (fracture), tensile stresses are more of concern:

In thin walled tubes:

$$\sigma(r_1) = \frac{\alpha \cdot E \cdot \Delta T}{2(1 - \nu)} = \frac{\alpha \cdot E \cdot \dot{q} \cdot (r_2 - r_1)}{2(1 - \nu) \cdot \lambda}$$

α – thermal expansion coefficient
 E – modulus of elasticity
 ν – Poisson's ratio
 λ – thermal conductivity
 q'' – surface heat flux

In thin walled tubes:

$$\sigma(r_1) = \frac{\alpha \cdot E \cdot \Delta T}{2(1-\nu)} = \frac{\alpha \cdot E \cdot \dot{q} \cdot (r_2 - r_1)}{2(1-\nu) \cdot \lambda}$$

Example

$$\alpha = 1.8 \cdot 10^{-5} \text{ K}^{-1}$$

$$E = 1.8 \cdot 10^{11} \text{ Pa}$$

$$\nu = 0.3$$

$$\lambda = 20 \text{ W/mK}$$

$$q'' = 0.5 \text{ MW/m}^2$$

$$r_2 - r_1 = 5 \text{ mm}$$

$$\Rightarrow \sigma(r_1) \approx 29 \text{ MPa}$$

Acceptable?

→ Stress criteria: e.g. elastic stress criteria:

a) The primary stress from internal pressure (membrane + bending)

b) The total stress (primary + secondary thermal stress)

have to be below material limits:

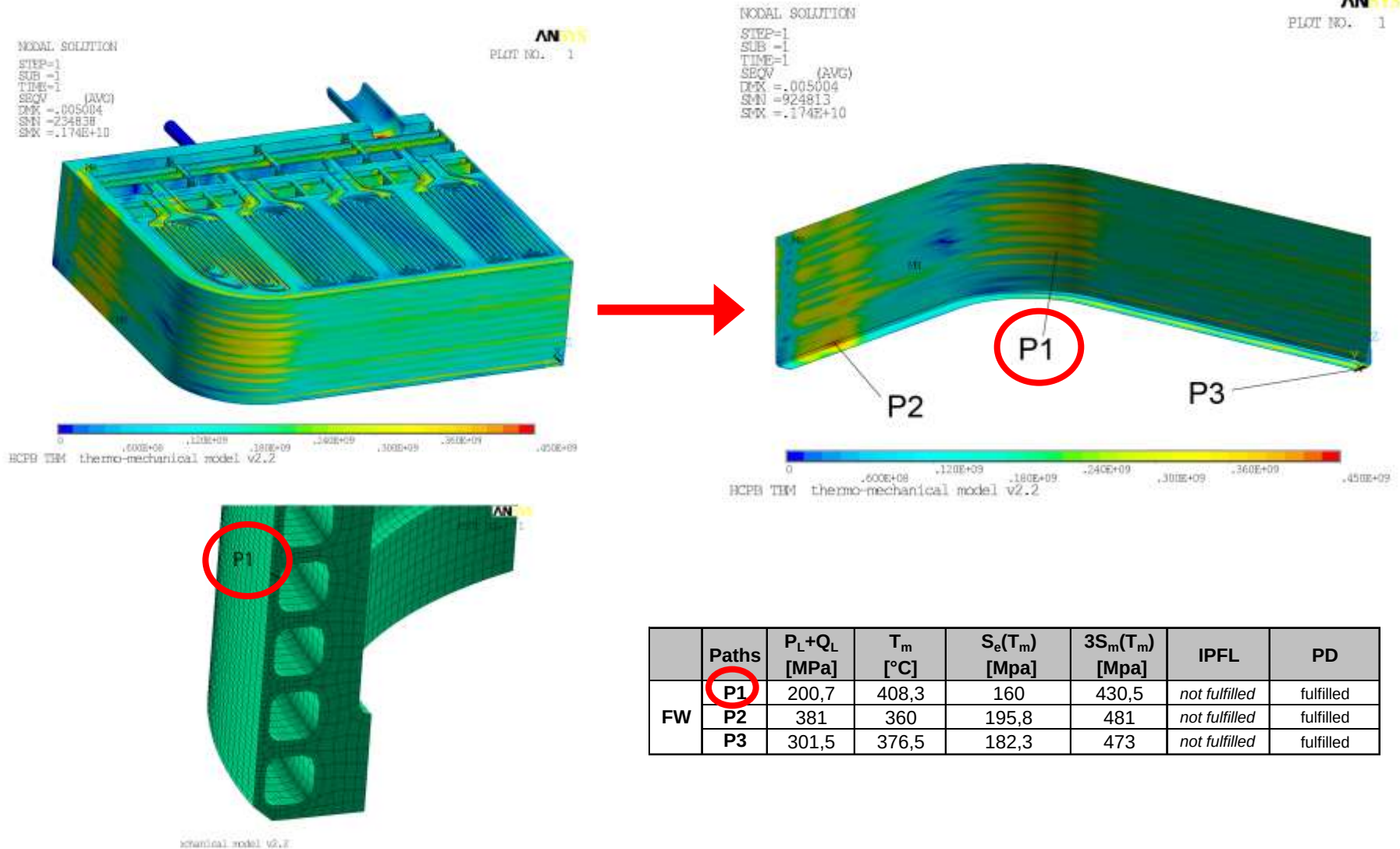
e.g. $S_m = 132 \text{ MPa}$ at 500°C for typical steel →

3 S_m criteria: primary stress up to 100 MPa would be allowed

$$\sigma_{prim} \leq S_m$$

$$\sigma_{prim+sec} \leq 3 \cdot S_m$$

First Wall thermo-mechanical analyses: stress profiles



Additional effects

→ Some effects reduce the available structural material quality

- a) Cyclic loads
- b) Thermal creep
- b) Displacement of lattice atoms through collisions (radiation damage) in dpa
- c) Generation of gases (He, H₂) through transmutation reactions (e.g. (n,α)) in appm/year

First wall of blankets at 3 MW/m² neutron wall load: **36 dpa/year** and **440 appm/year**

S_m is function of time, temperature and irradiation history

Neutron heating effects

a) Particle slowing down (~90 %)

Elastic and inelastic scattering → displaced atoms →
displaced atoms slow down (collide with lattice atoms) → heat up the lattice

b) Secondary gamma-ray production and absorption

Example:

First wall of blankets at 3 MW/m² neutron wall load:

$$q'''_{\text{neutron}} \sim 25 \text{ W/cm}^3$$

for wall thickness 2 mm →

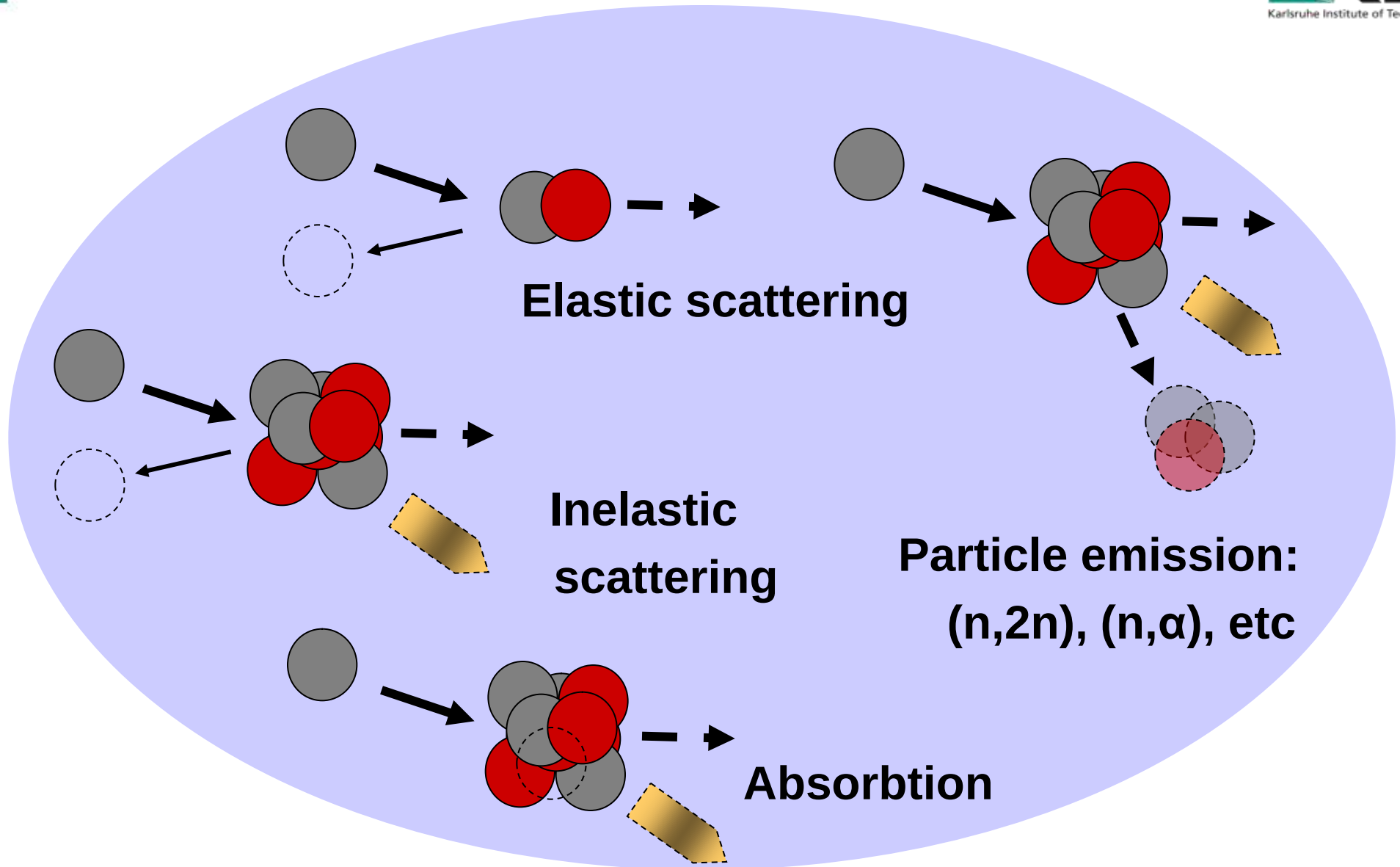
$$q''_{\text{neutron}} \sim 5 \text{ W/cm}^2 = 0.05 \text{ MW/m}^2 < q''_{\text{surface}} \sim 0.5 \text{ MW/m}^2$$

Averaged blanket heating at 3 MW/m² neutron wall load:

$$q'''_{\text{neutron}} \sim 3 \text{ MW/m}^3 \text{ for 1 m radial build}$$

**Surface
Heating is
critical for
First Wall**

**Fission LWR
Core:
~ 100 MW/m³**



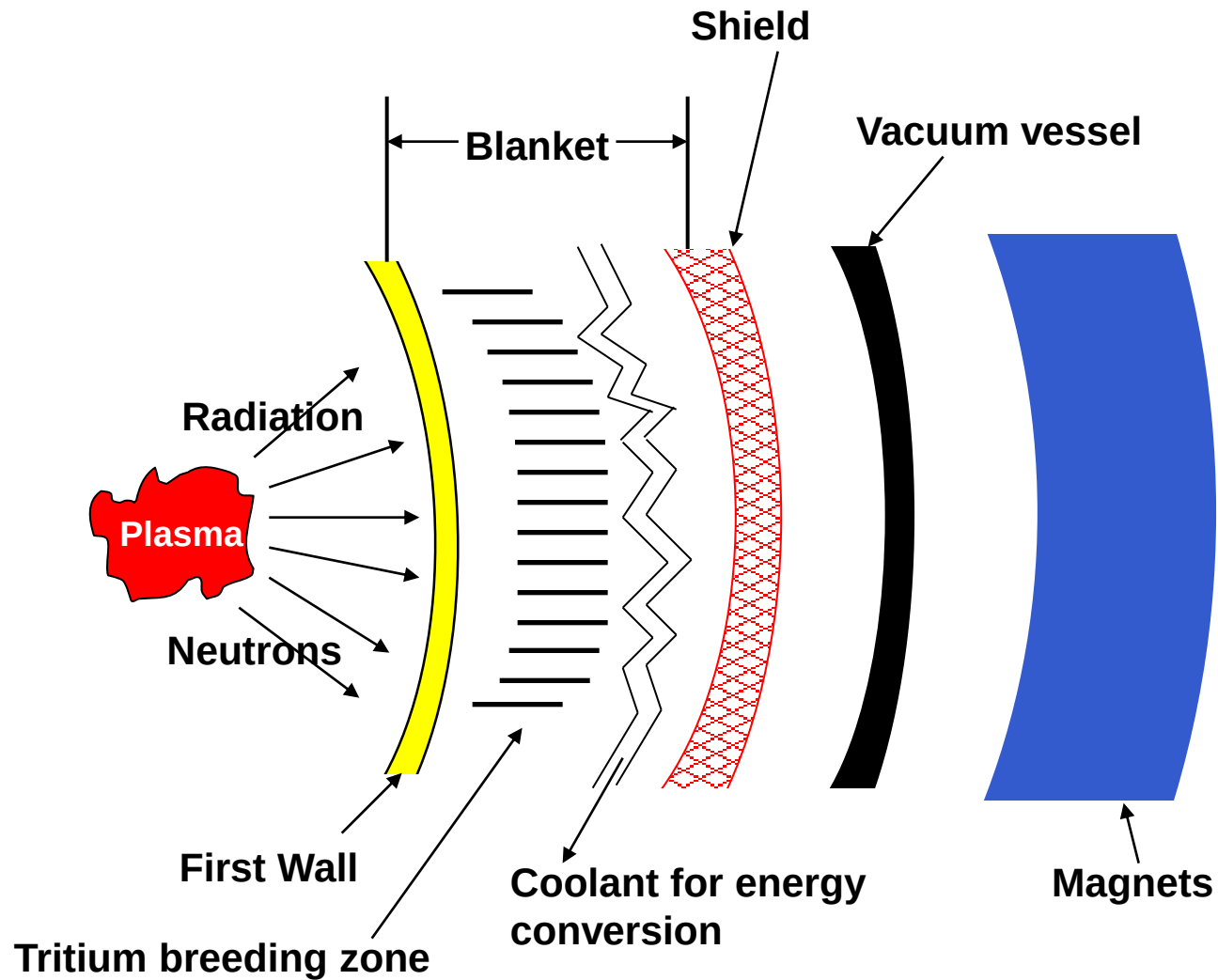
Main functions of the blanket:

1. Tritium production (breeding) and extraction (purging)
2. Transforming neutron power into heat and collection of the heat
3. Shielding of the Vacuum Vessel and Toroidal Field Coils

The breeder blanket is made of:

- Breeder (solid or liquid)
- Neutron multiplier (solid or liquid)
- Shielding (may be separate component)
- Structural material
- Coolant (He, Water, Liquid Metal, Molten Salts)

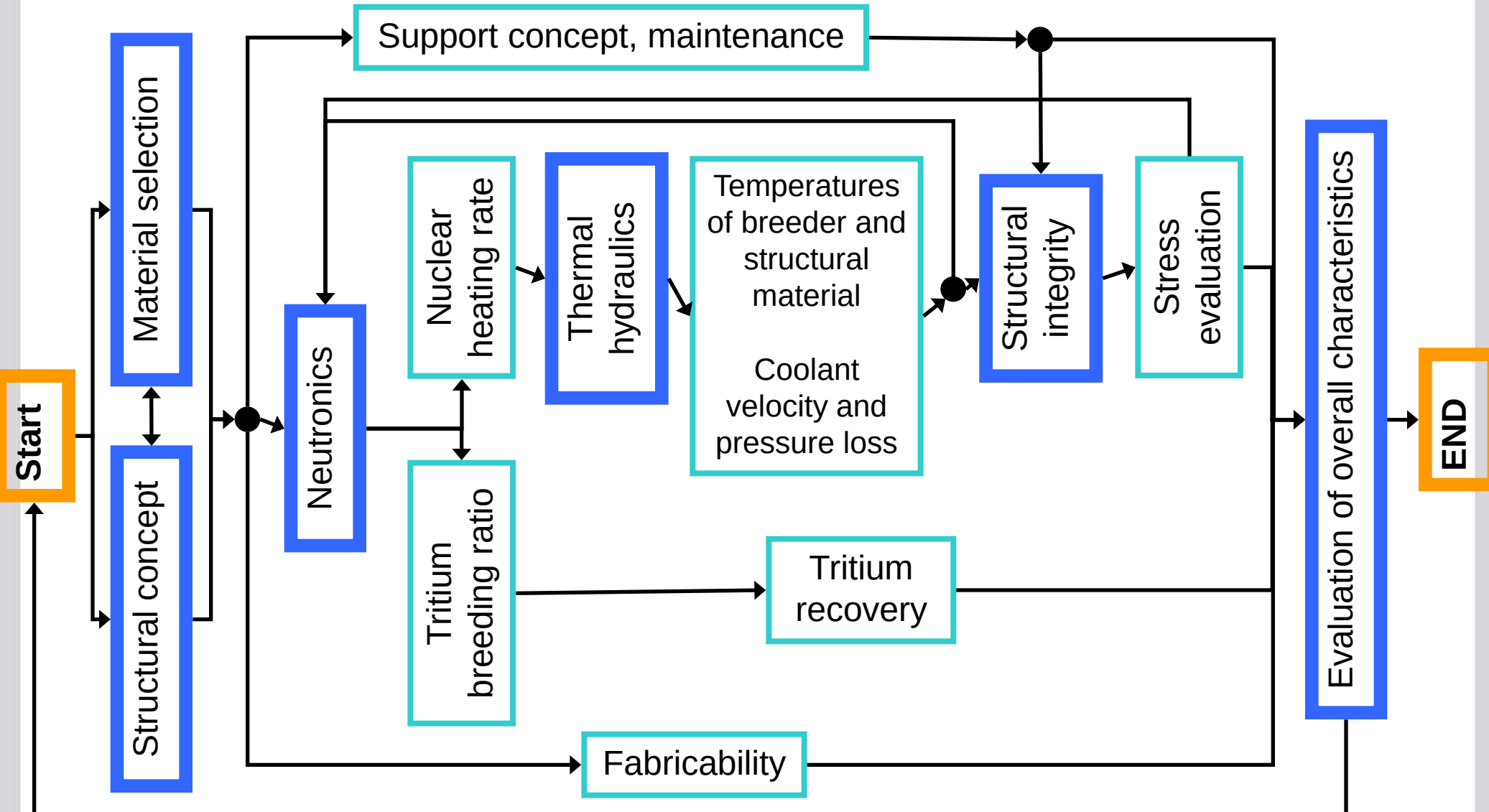
Breeding Blanket radial build

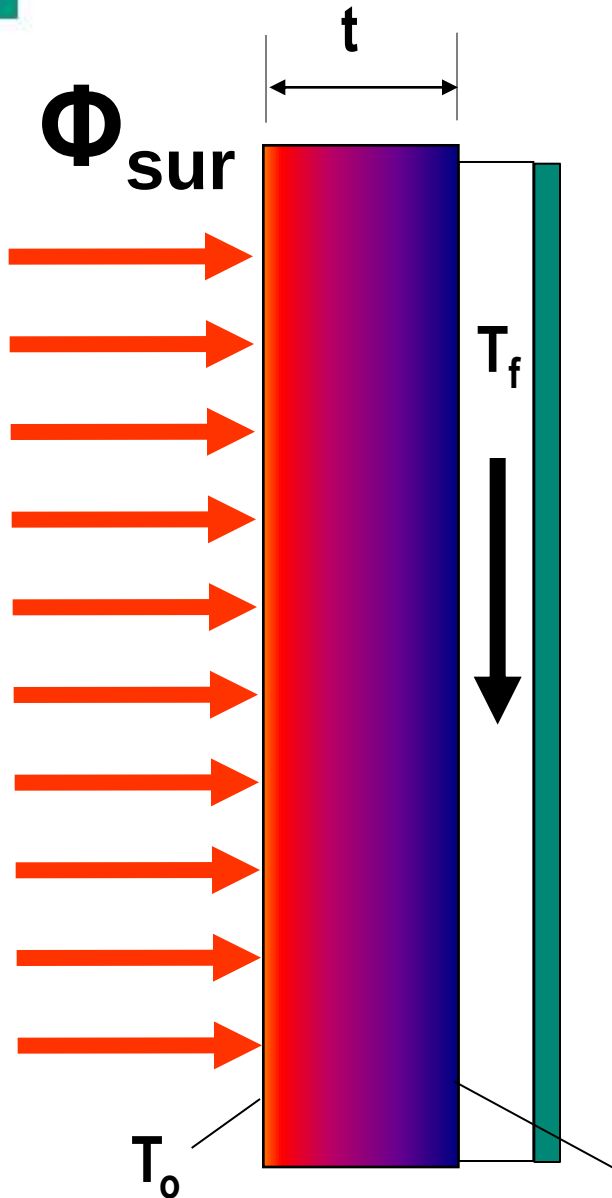


The combination of the different components should be made on the basis of their compatibility from chemical, thermal and safety standpoints

The design has to be featured in order to achieve:

1. Low maintenance time
2. Sufficiently long lifetime
3. High safety level and low environmental impact (including waste)
4. Reasonable direct cost including operation





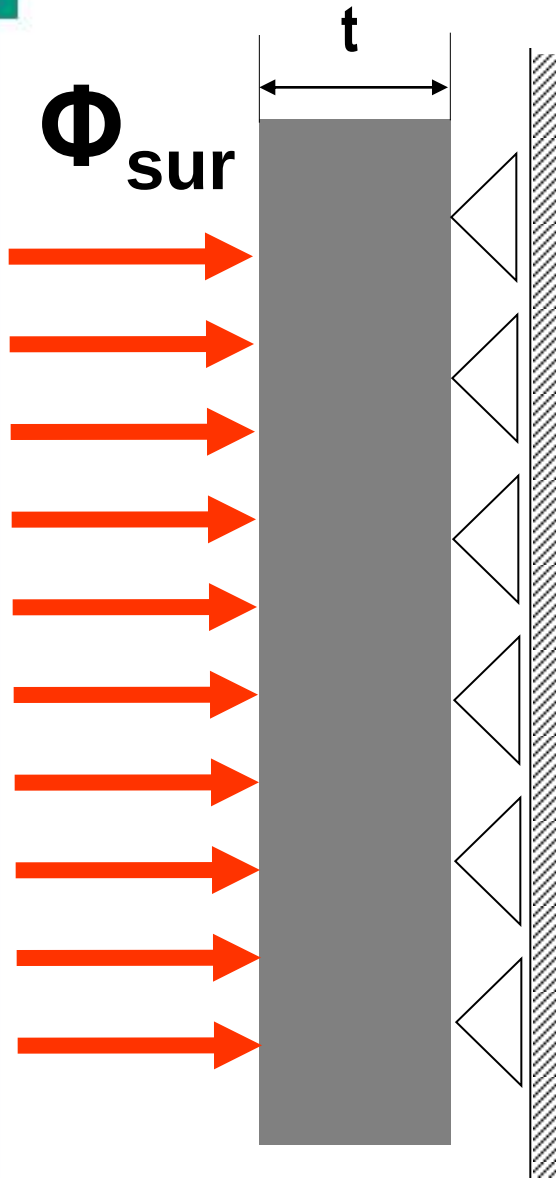
$$T_i = T_f + \frac{\Phi_{sur}}{h} \quad T_o = T_i + \frac{\Phi_{sur} \cdot t}{\lambda}$$

Example of helium cooling of a steel plate:

λ	= 20 W/mK	thermal conductivity
Φ_{sur}	= 0.5 MW/m ²	surface heat flux
h	= 8000 W/m ² K	heat transfer coeff. (He @~80 m/s)
T_f	= 300°C	coolant bulk temperature
t	= 5 mm	thickness

$$T_i = T_f + \Phi_{sur} / h \quad \{= 300 + 0.5 \cdot 10^6 / 8000\} = 362.5^\circ\text{C}$$

$$T_o = T_i + \Phi_{sur} \cdot t / \lambda \quad \{= 362.5 + 0.5 \cdot 10^6 \cdot 0.005 / 20\} \\ = 362.5 + 125 = 487.5^\circ\text{C}$$



In thin plate:

$$\sigma_{x,y,\max} = \frac{\alpha \cdot E \cdot (T_o - T_i)}{2(1 - \nu)} = \frac{\alpha \cdot E \cdot \Phi_{sur} \cdot t}{2(1 - \nu) \cdot \lambda}$$

Example:

$$\alpha = 1.8 \cdot 10^{-5} \text{ K}^{-1}$$

$$E = 1.8 \cdot 10^{11} \text{ Pa}$$

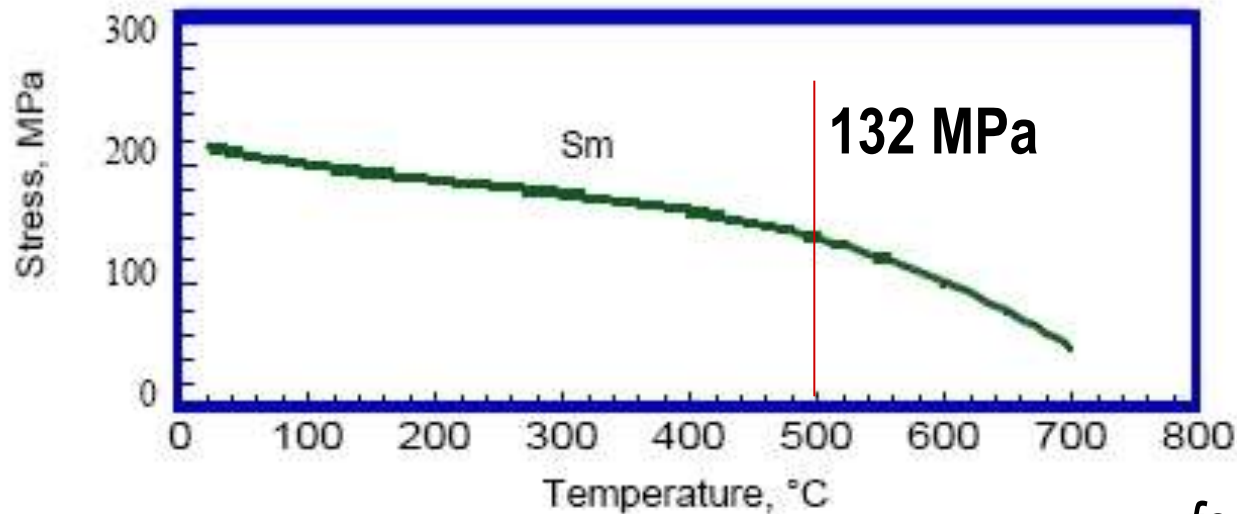
$$\nu = 0.3$$

thermal expansion coefficient

modulus of elasticity

Poisson's ratio

$$\sigma_{x,y,\max} \cong 290 \text{ MPa}$$



for EUROFER steel

Acceptable?

→ Stress criteria: e.g. elastic stress criteria:

- a) The primary stress from internal pressure (membrane+bending)
 - b) The total stress (primary + secondary thermal stress)
- have to be below material limits:

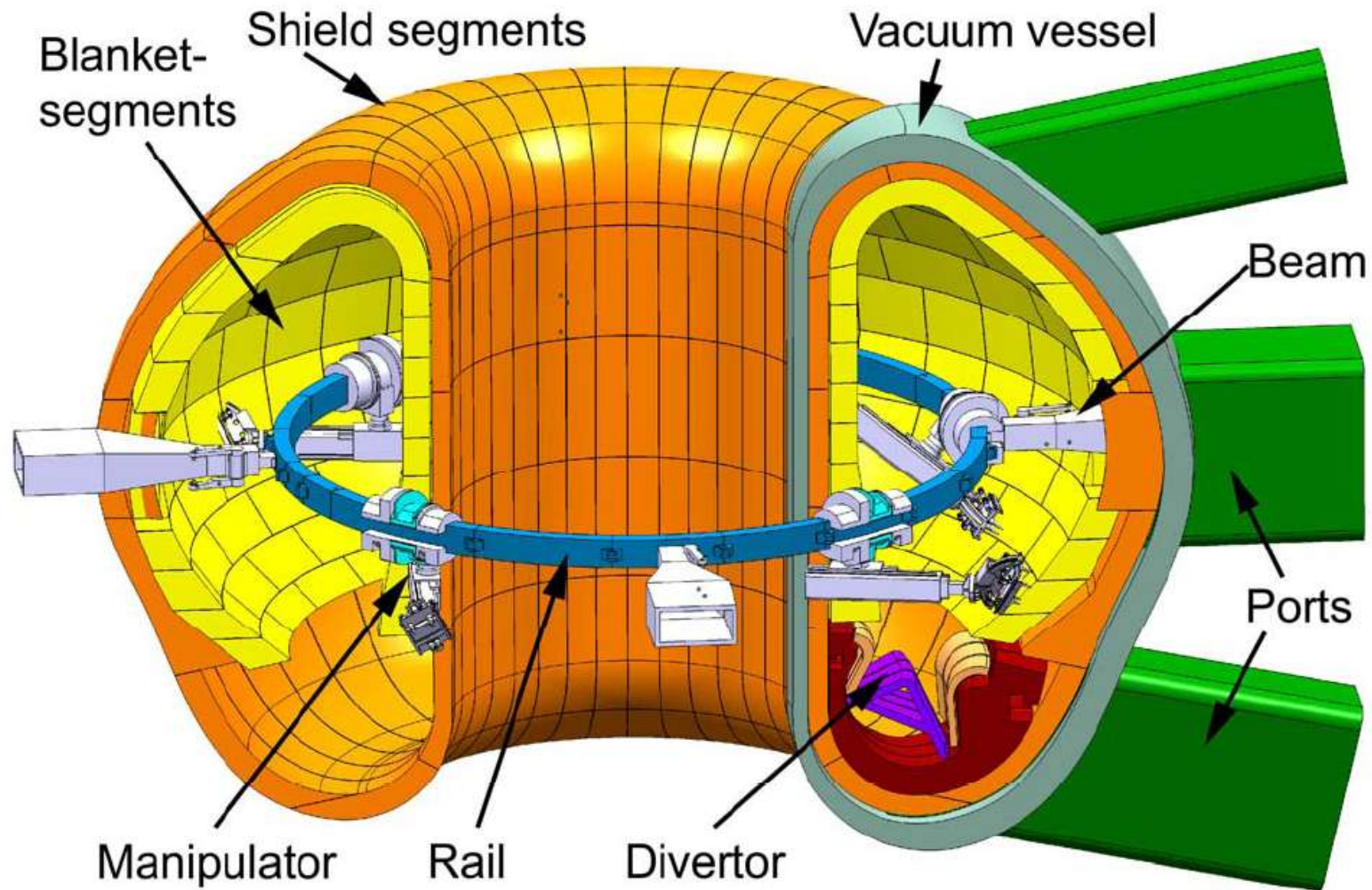
e.g. $S_m = 132$ MPa at 500°C for typical steel →

3 S_m criteria: primary stress up to 100 MPa would be allowed

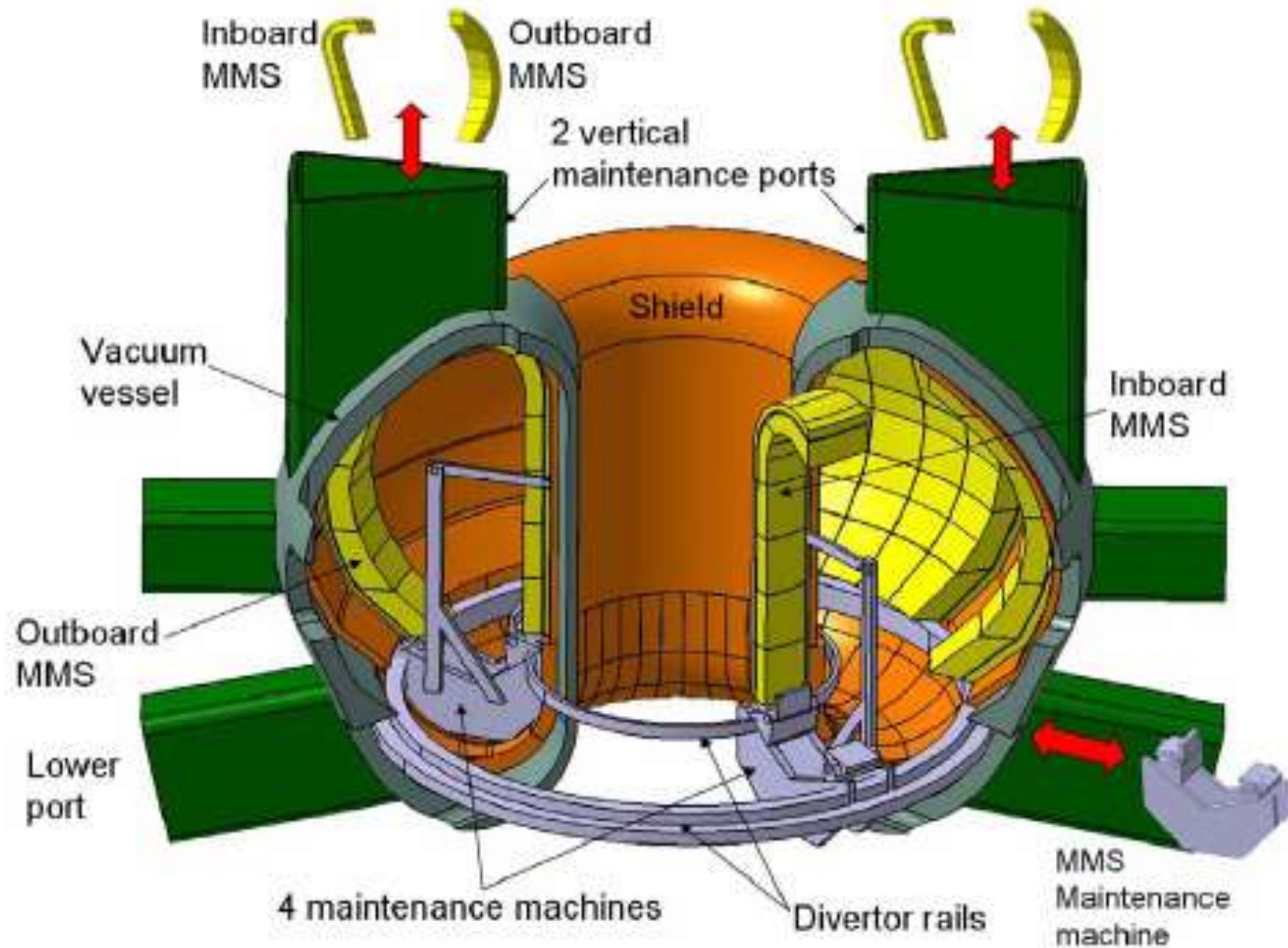
$$\sigma_{prim} \leq S_m$$

$$\sigma_{prim+sec} \leq 3 \cdot S_m$$

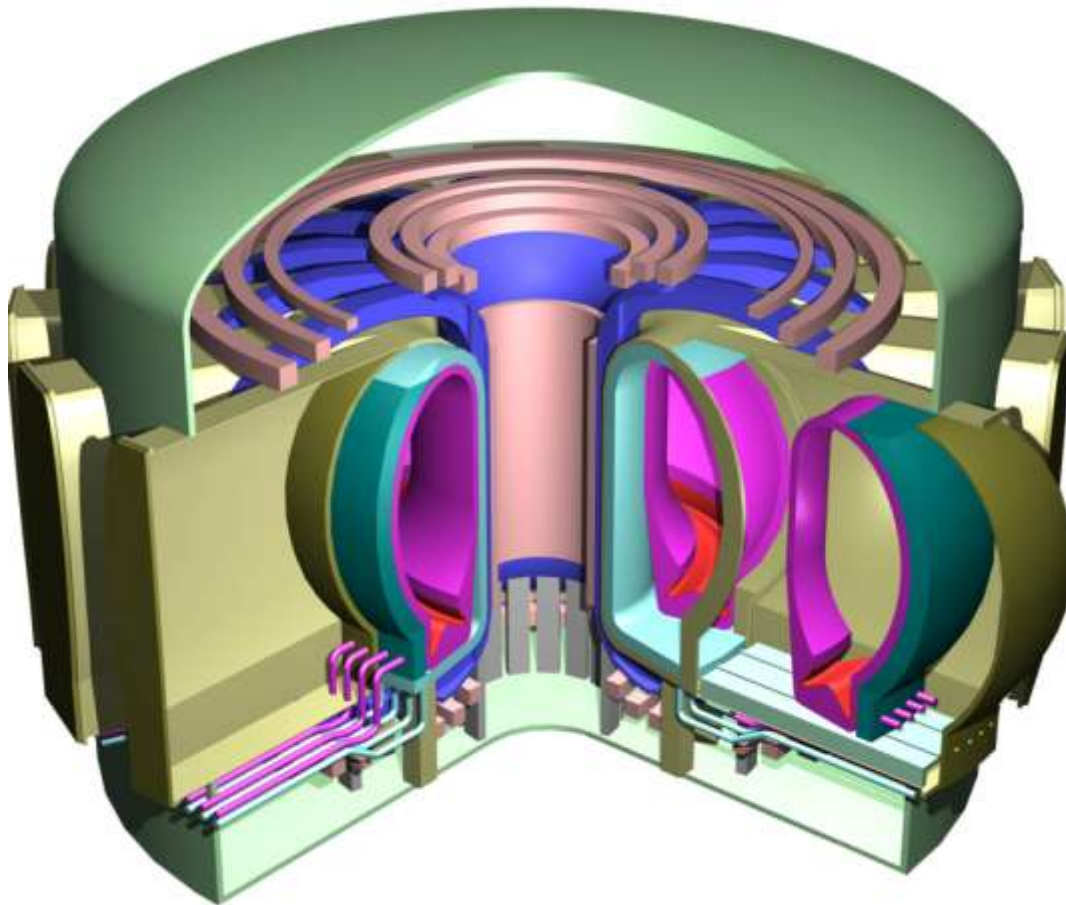
Maintenance system: ITER configuration



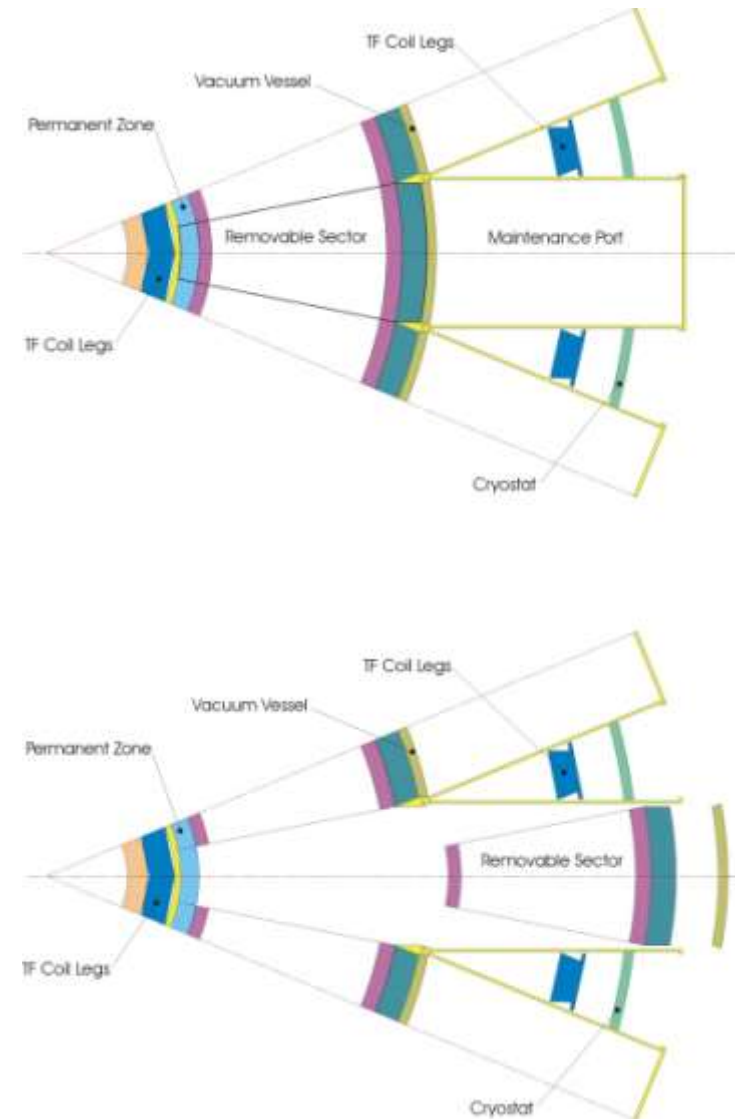
Maintenance system: vertical ports



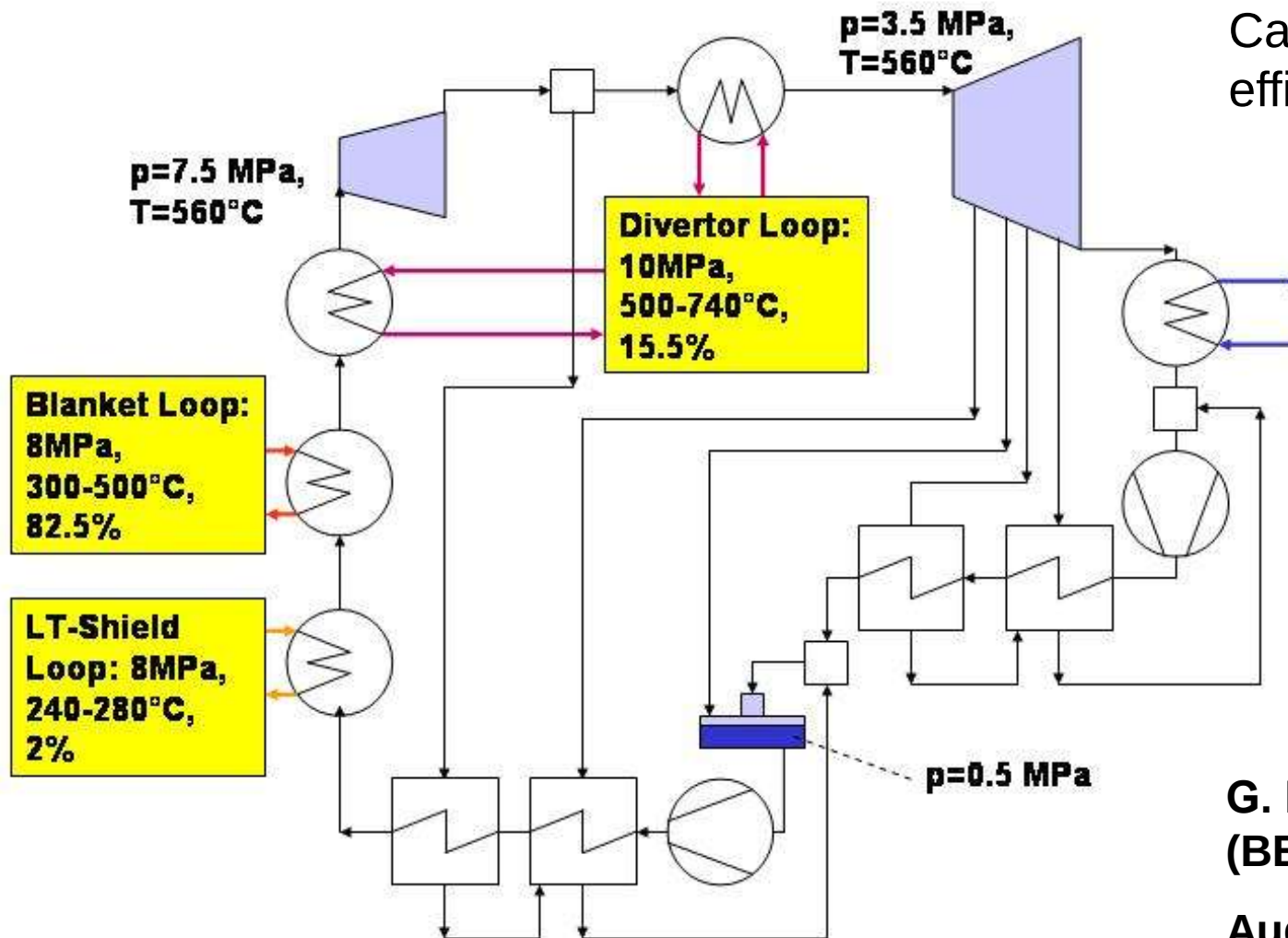
Maintenance system: large sector concept



Artes Studies, US



Power generation system: Rankine

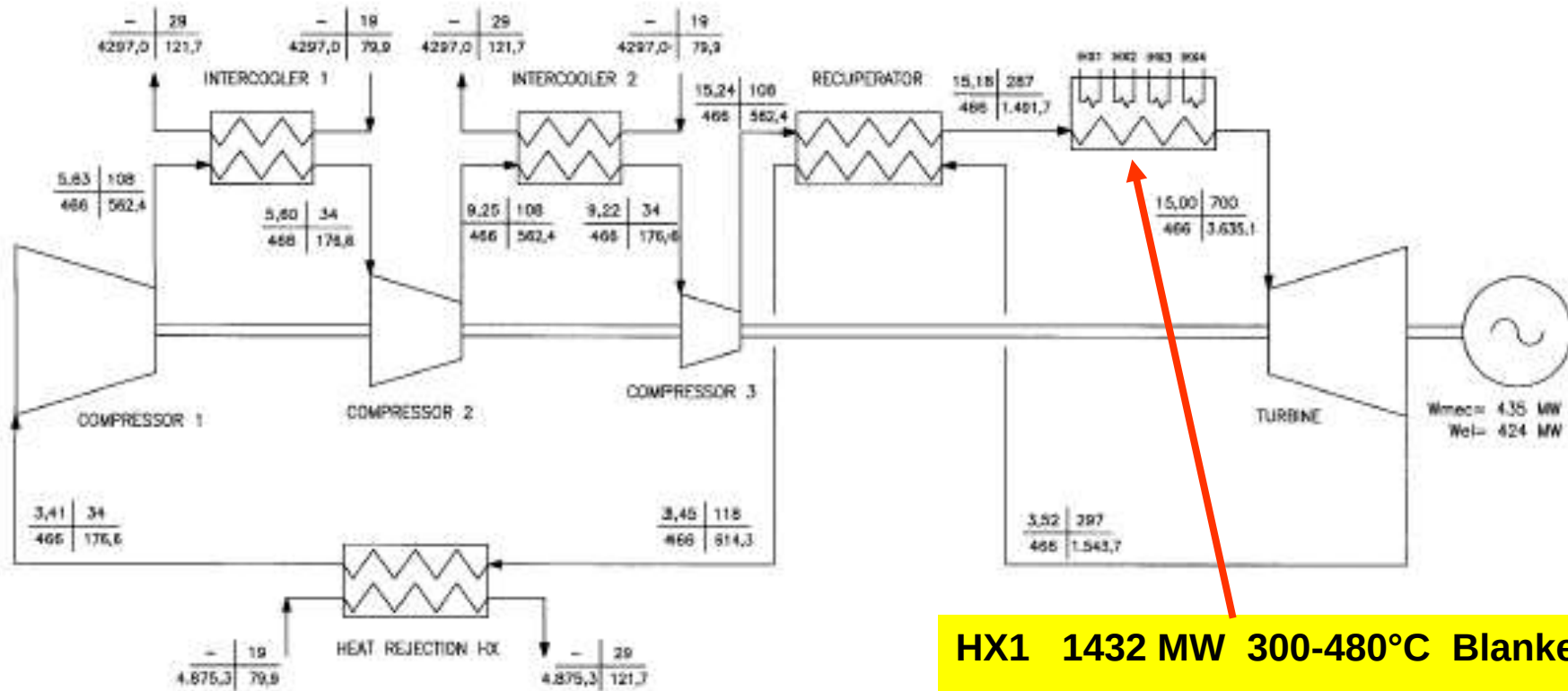


Calculated net cycle
efficiency: 41.46%

G. Du Bois d'Enghien
(BELGATOM-EFET)

August 2002

Power generation system: Brayton



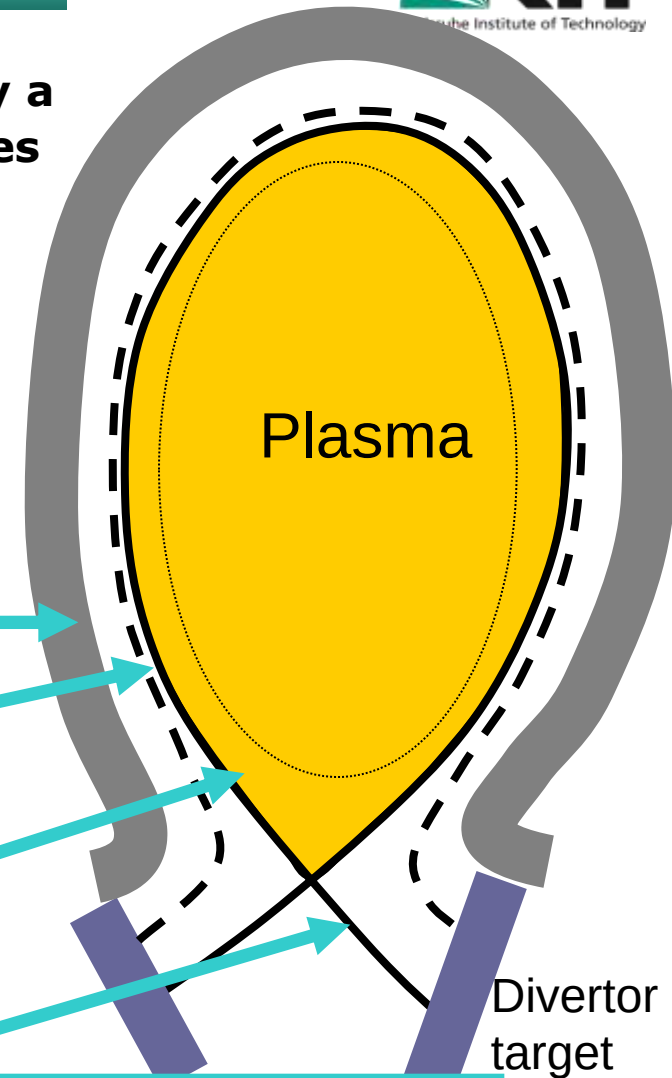
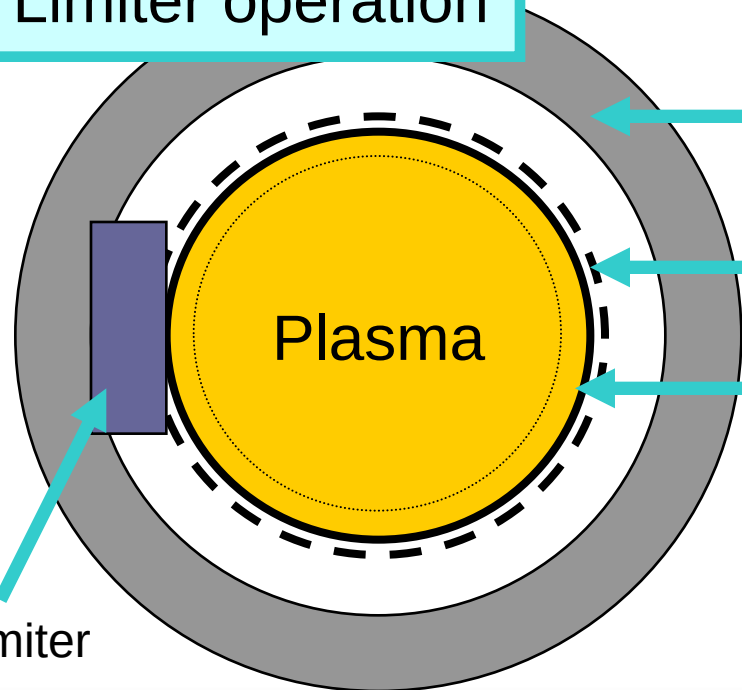
HX1 1432 MW 300-480°C Blanket (He)
HX2 335 MW 480-615°C Divertor
HX3 1976 MW 480-700°C Blanket (PbL)i
HX4 248 MW 700-800°C Divertor

Plasma magnetic confinement: plasma limit

The plasma ends where a flux surface is interrupted by a solid surface (**Limiter**). The interrupted flux surfaces are “open”.

The closed flux area can alternatively be defined by an intersection of the flux surfaces (X-point). In this case the open flux surfaces end on **divertor** targets.

Limiter operation



Divertor operation